

## Battelle Full-Scale Pipe Fracture Simulation of Carbon Steels with a Circumferential Crack

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### 1. Introduction

In structural integrity assessment, full-scale test is an accurate and reliable way to evaluate fracture behavior of components containing crack-like defects. However, from a cost-effectiveness perspective it is consequently economically unfavorable. One efficient way to replace such extensive test programs is to use finite element (FE) damage analyses. Recently a simple FE method has been proposed [1] to implement fracture simulation based on the well-known stress-modified fracture strain model [2,3]. Although the technique appropriately simulated ductile failure for miscellaneous cracked components [4,5], the failure simulations using small element size cause numerical instability. In order to overcome this problem and to be applicable to the large-scale structures, this paper introduces element-size-dependent critical damage model. Simulated results are compared with full-scale test data of circumferential cracked pipes taken from Pipe Fracture Encyclopedia [6] to validate the proposed method.

### 2. Full-Scale Pipe Test Data

Two sets of full-scale pipe test data at 288°C were extracted from Pipe Fracture Encyclopedia [6] for SA333 Gr. B and A106 Gr. B carbon steels. For the sake of space, only for SA333 Gr. 6, geometric variables, dimensions and schematic illustrations of cracked pipes are shown in Table 1 and Fig. 1. The data sets consist of tensile test, fracture toughness test and full-scale circumferential cracked pipe test under four-point bending. For SA333 Gr. B, the 0.2% proof (yield) strength, ultimate tensile strength and reduction of area are 239MPa, 527MPa and 60.0%, respectively.

### 3. Ductile Fracture Simulation Technique

#### 3.1 Damage model

The damage model used in this paper is based on the phenomenological ductile fracture model which is also known as the stress-modified fracture strain model [2,3]. In this model, fracture strain  $\varepsilon_f$  for dimple fracture is assumed to depend exponentially on the stress triaxiality  $\sigma_m/\sigma_e$ :

$$\varepsilon_f = \alpha \exp\left(-\gamma \frac{\sigma_m}{\sigma_e}\right) + \beta \quad ; \quad \frac{\sigma_m}{\sigma_e} = \frac{\sigma_1 + \sigma_2 + \sigma_3}{3\sigma_e} \quad (1)$$

where  $\sigma_i$  ( $i=1-3$ ) are principle stress components; and  $\alpha$ ,  $\beta$  and  $\gamma$  are material constants. Damage  $\omega$  can be

calculated by summing incremental damage  $\Delta\omega$ , given by

$$\Delta\omega = \frac{\Delta\varepsilon_e^p}{\varepsilon_f} \quad (2)$$

where  $\Delta\varepsilon_e^p$  is the equivalent plastic strain increment, calculated from FE analysis implemented in ABAQUS using user subroutines [7]. For SA333 Gr. B, determined fracture strain model is shown in Fig. 3(a).

Table 1. Summary of specimen dimensions for circumferential cracked SA333 Gr. 6 pipes at 288°C.

Specimen ID	$D_o$ (mm)	$t$ (mm)	$r/t$	$a/t$	$\theta/\pi$
TWC (4131-7)	273.1	18.3	6.96	-	0.35
SC (4115-1)	256.2	17.3	6.90	0.70	0.42
SC (4115-2)	272	17.1	7.45	0.71	0.43
SC (4131-8)	270.6	15.1	8.46	0.68	0.48

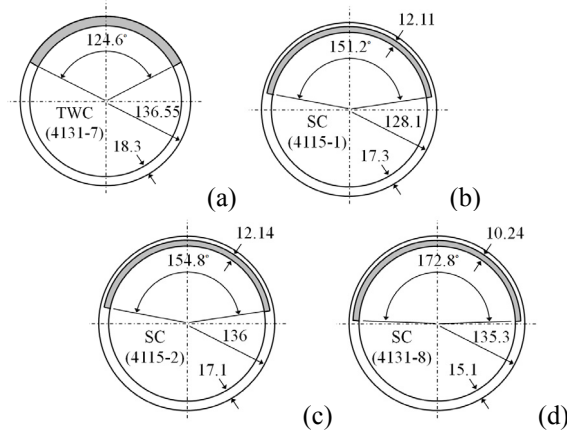


Fig. 1. Schematic of the cross-sectional view for SA333 Gr. 6 pipes in Table 1: (a) through-wall cracked pipe and (b)-(d) surface cracked pipes.

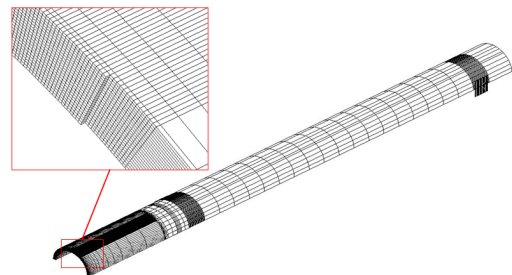


Fig. 2. FE mesh to simulate the through-wall cracked (4131-7) pipe test.

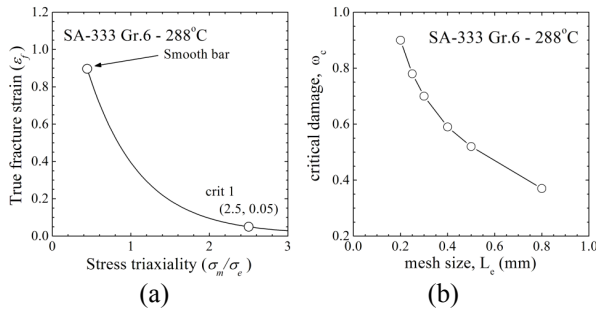


Fig. 3. Calibration results for ductile fracture simulation: (a) determined fracture strain model and (b) dependence of the critical damage with element size.

### 3.2 Element size effect

The main concept of the proposed method is that the critical accumulated damage for fracture,  $\omega_c$ , is assumed to vary with the element size. Then the failure criterion is

$$\omega = \sum \Delta\omega = \omega_c(\text{element size}) \quad (3)$$

A proper element size for the material calibrated corresponds to the case of  $\omega_c=1$ . When a larger element is used, a smaller  $\omega_c$  value can be used to produce the same cracking rate as shown in Fig. 3(b).

## 4. FE Analysis and Results

Three-dimensional FE damage analyses were performed using the element size of 0.6mm and 0.8mm for A106 Gr. B and SA106 Gr. 6, respectively. A quarter model was used considering symmetry conditions. Eight-node brick elements with full integrations (element type C3D8 in ABAQUS [7]) were uniformly spaced in the cracked section as shown in Fig. 2. Damage analysis was performed with the non-linear geometry change option.

Figure 4 shows that predicted crack initiation and maximum loads for four different tests of SA333 Gr. 6 pipes and four different tests of A106 Gr. B pipes are compared with experimentally measured values, showing overall good agreements. Predicted loads differ from experimental ones less than 11% for the crack initiation load and 6% for the maximum load.

## 5. Conclusions

Full-scale pipes with a circumferential crack for SA333 Gr. 6 and A106 Gr. B carbon steels are simulated using FE damage analysis based on the stress-modified fracture strain model. To overcome numerical instability problem due to the small element size and to be applicable to the large-scale structures, a concept of the element-size-dependent critical damage model is introduced. The present method can predict well crack initiation and maximum loads of full-scale pipe tests. This method offers significant advantages in simulating long, stable crack growth in large-scale components.

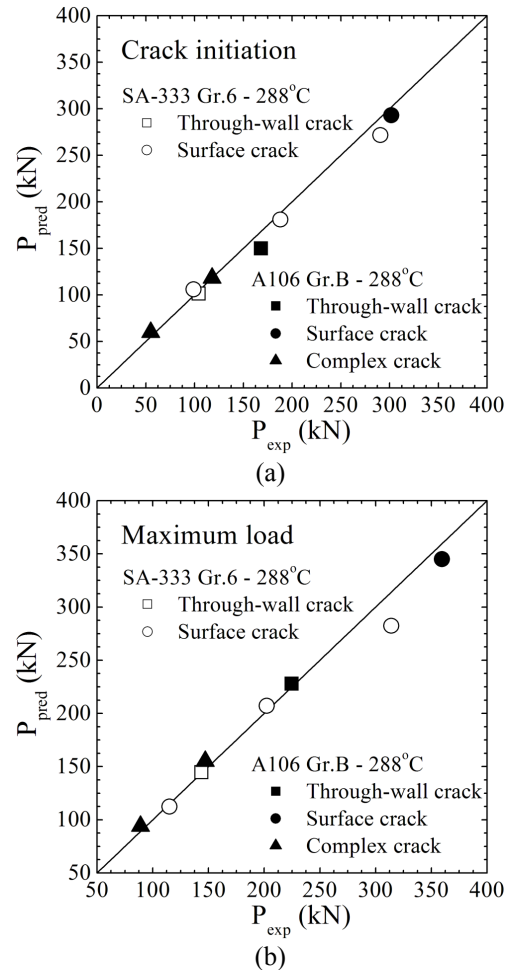


Fig. 4. Comparison of experimental results with simulated ones for (a) crack initiation loads and (b) maximum loads.

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