

2003

MARS

Development of Heat Transfer Model of Helical Tube Steam Generator for Thermal Hydraulic System Analysis Code, MARS

150

19

RELAP5 TRAC

IRIS SMART

가

MARS

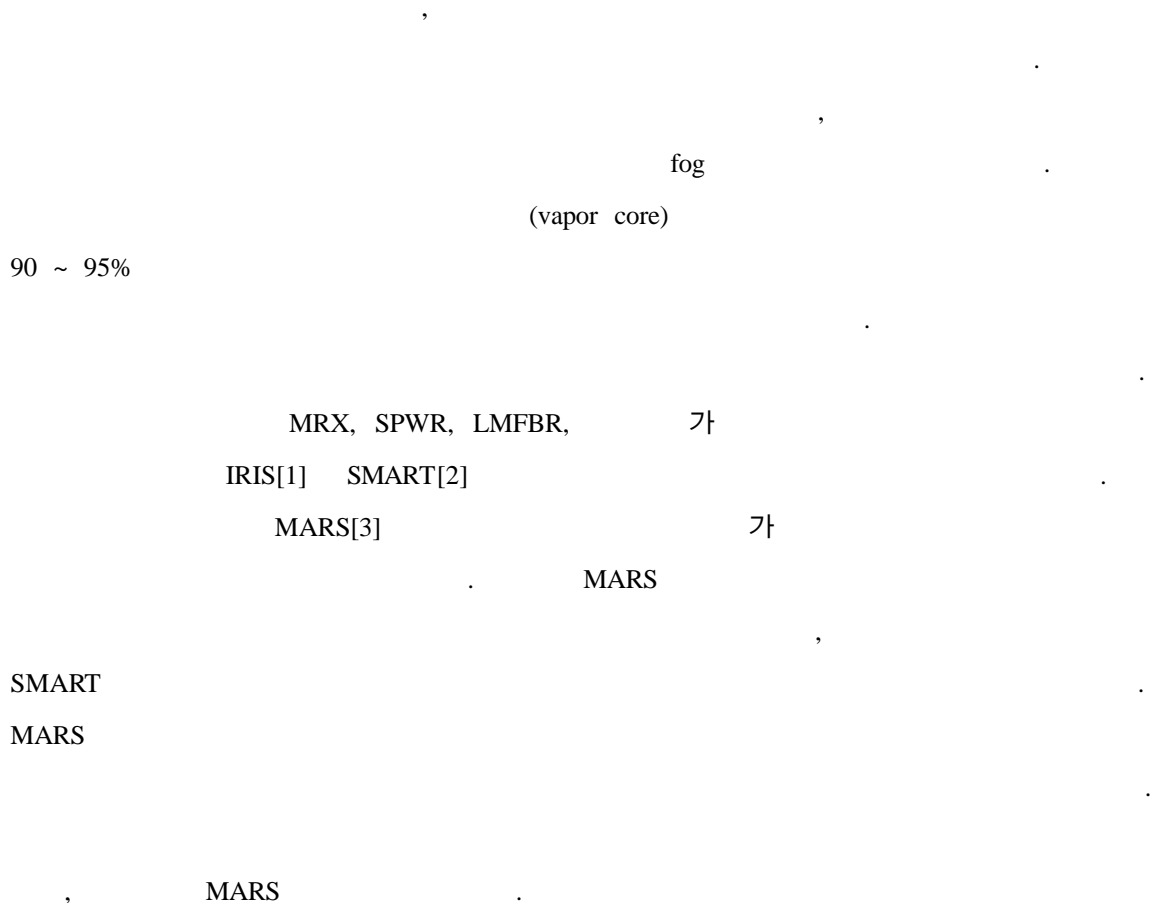
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Abstract

The centrifugal force caused by the helical shape of the helically coiled tube steam generator enhances the heat-transfer by generating the secondary flow within the tube, and makes it easier to produce superheated steam by enhancing moisture separation. However such generally used computer codes as RELAP and TRAC in thermal hydraulic systems analysis of commercial Pressurized Water Reactors do

not have the heat transfer correlations and hydraulic models suitable for helically coiled tube steam generator. Therefore, application of such codes to SMART and IRIS reactors which have helically coiled steam generators is not appropriate. The heat transfer characteristics and relevant correlations for helical tubes have been examined and then added to MARS T/H systems analysis code. The user can optionally select the helical tube heat transfer package via input. A performance analysis under full power operation has been carried out with the modified MARS code. The results show a significant improvement in the accuracy in the steam generator performance analysis compared to the version without the helical heat transfer package.

1.



2.

2.1

1920 Dean
1960 Seban
1980 McLaughlin[4] (1963) 가

$$h_c = 0.023 \frac{k_f}{d} \text{Re}_f^{0.8} \text{Pr}_f^{0.4} \left[\text{Re}_f^{0.05} \left(\frac{d}{D} \right)^{0.1} \right] \quad (1)$$

Mori Nakayama[5] (1964)

Pr > 1

$$h_c = 0.02439 \frac{k_f}{d} \text{Re}_f^{0.8333} \text{Pr}_f^{0.4} \left(\frac{d}{D} \right)^{\frac{1}{12}} \left[1 + \frac{0.061}{\left[\text{Re}_f \left(\frac{d}{D} \right)^{2.5} \right]^{1/6}} \right] \quad (2)$$

Pr < 1

$$h_c = 0.03846 \frac{k_f}{d} \text{Re}_f^{0.8} \frac{\text{Pr}}{\left(\text{Pr}^{2/3} - 0.074 \right)} \left(\frac{d}{D} \right)^{\frac{1}{10}} \left[1 + \frac{0.098}{\left[\text{Re}_f \left(\frac{d}{D} \right)^2 \right]^{1/5}} \right] \quad (3)$$

d

D

1 SMART

(d/D) 가 1/43

(1) (2)

Dittus-Boelter

Re

SMART

(1)

(2)

20 ~ 30% 가

Mori-

Nakayama

2.2

3

MARS

가

Chen

$$q'' = h_{mac}(T_w - T_s)F + h_{mic}(T_w - T_s)S \quad (4)$$

$h_{mac} =$

$h_{mic} =$ Poster-Zuber pool boiling

F = Reynolds number factor

S = Suppression factor

Owhadi[6] (1968)

Chen

F factor

2

$1/\chi < 0.1$

h_{mac}

(4)

MARS CHF

CHF AECL Lookup

가

가 0.7

가

[7,8] (4

).

0.8

$x_s > 0.8$

(5)

MARS

Chen

A_f

$$q_{tb} = q_{CHF} A_f + h_g (T_w - T_g) (1 - A_f) \tag{6}$$

$$h_g = 0.0185 Re_g^{0.83} Pr_g^{1/3}$$

가

가

가

$$h = 0.62 \left[\frac{g \rho_g k_g^2 (\rho_f - \rho_g) h_{fg} C_{pg}}{L(T_w - T_s) Pr_g} \right]^{0.25} M_\alpha \quad (7)$$

M_α void fraction factor

가 가

3. Shell

Shell

가

MARS

ESDU(Engineering Science Data Unit, London,

1973)

[9].

$$h = \sqrt{h_{\text{parallel}}^2 + h_{\text{cross}}^2} \quad (8)$$

h_{parallel}

Dittus-Boelter

h_{cross}

$$h_{\text{cross}} = 0.211 \frac{k}{D} Pr^{0.34} Re_{\text{cross}}^{0.651} \quad (9)$$

$$A_{\text{ratio}} = \frac{1 - \frac{\pi}{4} \left(\frac{D}{P} \right)^2}{1 - \frac{D}{P}}$$

$$G_{\text{cross}} = G_{\text{parallel}} A_{\text{ratio}}$$

$$Re_{\text{cross}} = G_{\text{cross}} D / \mu$$

Zukauskas[10](1972)

$$h = C \frac{k}{D} Re^m Pr^{0.36} \left(\frac{Pr}{Pr_w} \right)^{0.25} \quad (10)$$

Re	C	m
10 ~ 100	0.8	0.4
100 ~ 2x10 ⁵	0.27	0.63
> 2x10 ⁵	0.021	0.84

4 SMART Dittus-Boelter
 (8) (10) Zukauskas
 2 ESDU 4
 ESDU Cross flow Zukauskas
 Shell 가
 MARS

4. MARS

MARS 1cccg501 ~ 99 3
 가 가
 114 가 100
 Shell
 114 , 135 Shell
 114 di/Dc
 가 1cccg800() 1cccg900()
 1cccg801 ~ 899 (1cccg901 ~ 999) 10 P/D Dc/di
 (1.1 < Dc/di < infinite)
 (3)
 (3) (Pr^{2/3} - 0.074) Pr 가 0.02013 0 가
 max(0.01, (Pr^{2/3} - 0.074)) Re 가 0 가 Re
 가 10 (10) 가 (Pr/Pr_w)^{0.25}
 가 가
 가 가 (T_f=300 C, T_w=200 C, P = 15Mpa)
 1%

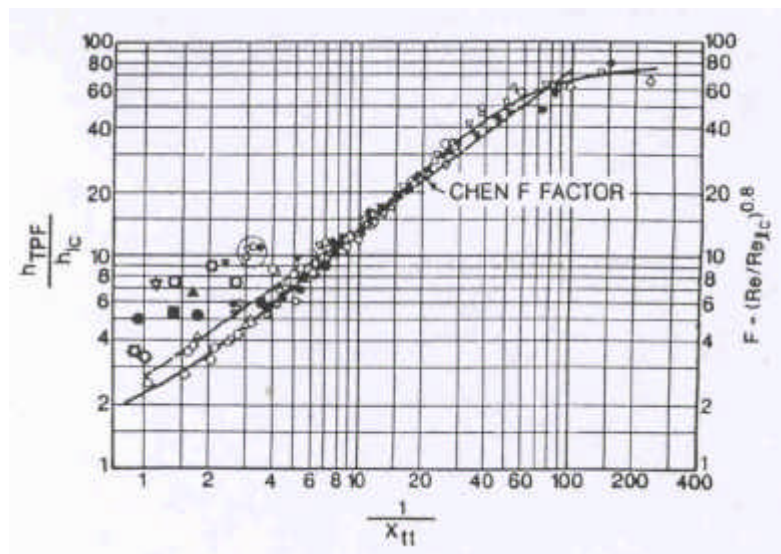
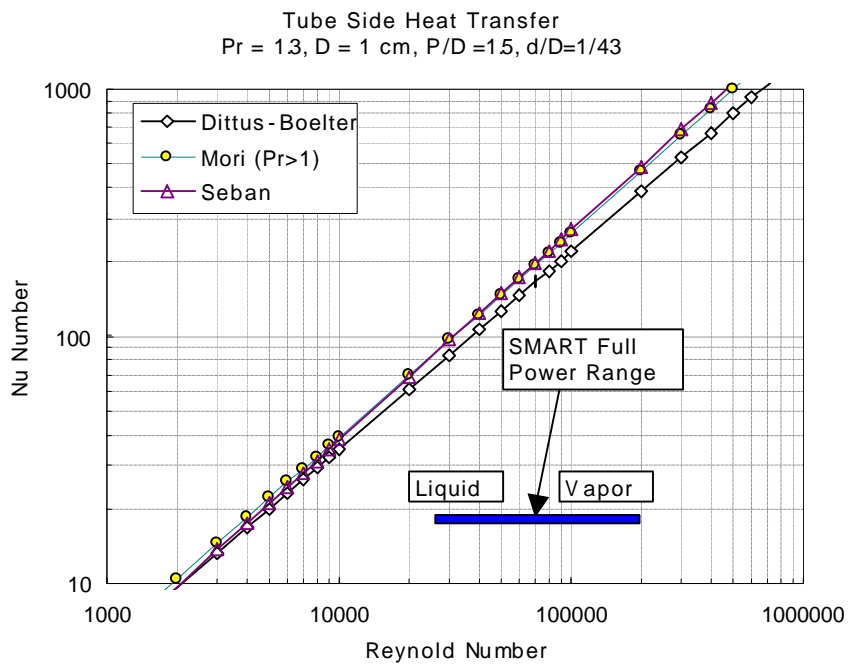
100% MARS SMART
 . SAMRT
 , Shell 5
 25
 6
 SMART 가 100% 가
 가 0.8 가
 100% 7
 Shell MARS
 Shell ESDU Zukauskas 2
 가 50% 10
 가 80%
 가 80%
 17
 가 8

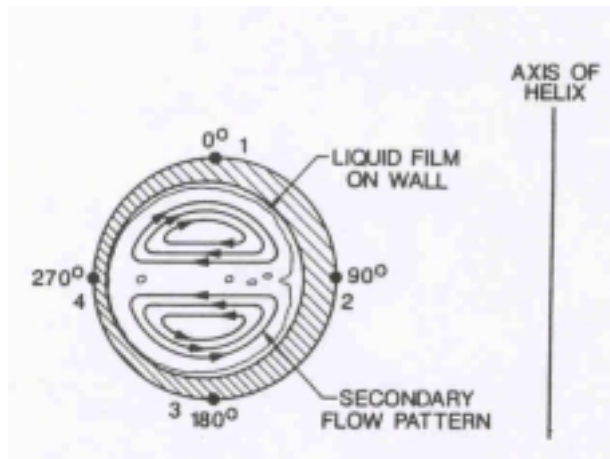
5.

Shell
 Zukauskas
 가 0.8
 Zukauskas Shell
 Zukauskas MARS
 Shell 가
 (d/D) 가 MARS
 SMART
 SMART

6.

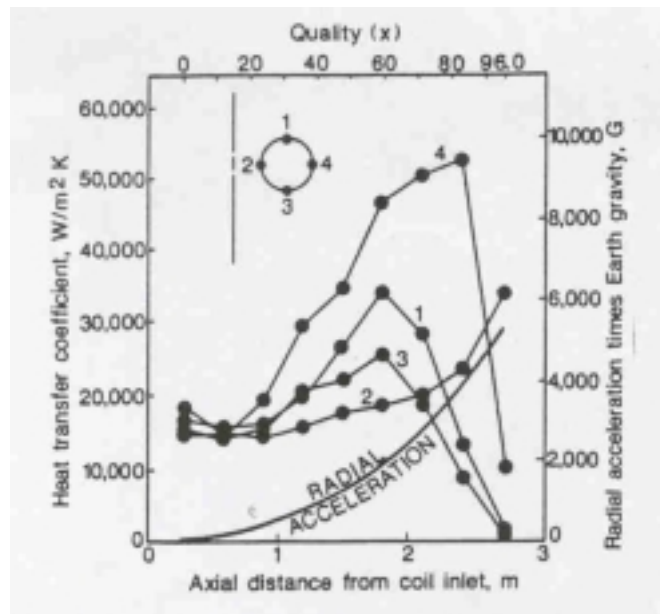
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- [3] “ 가 / ”, KAERI/RR-2235/2001, (2002)
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- [10] Zukauskas, A.A., “Heat transfer from tubes in cross flow”,Adv. Heat Transfer Academic, **8**, 93-106 (1972)





3.

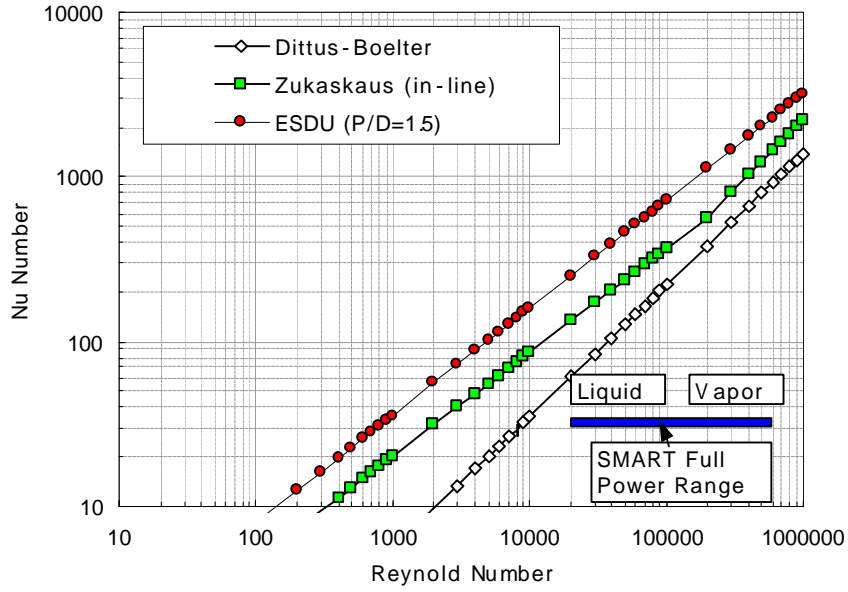
(Owhadi, 1968, from reference [6])



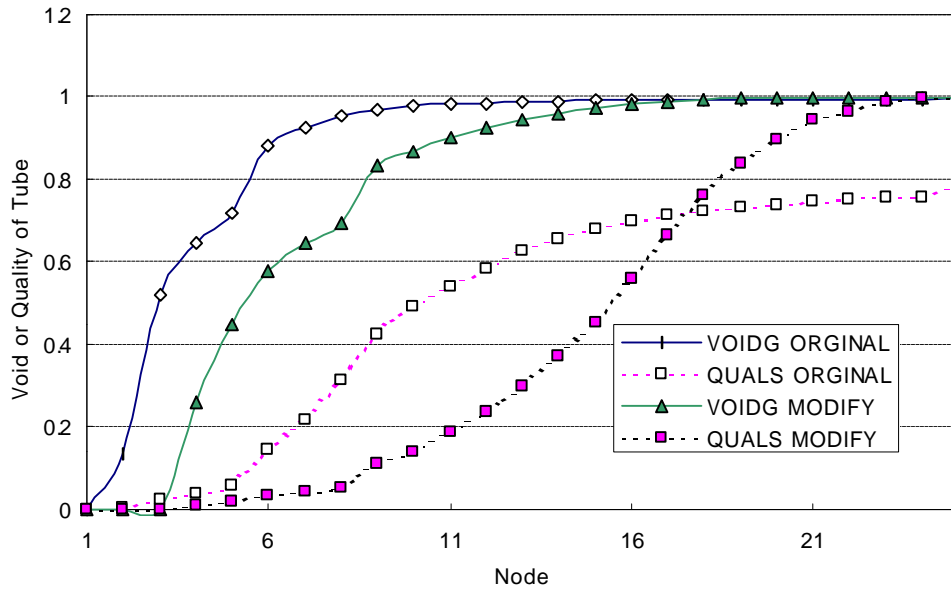
4.

(Owhadi, 1966, from reference [6])

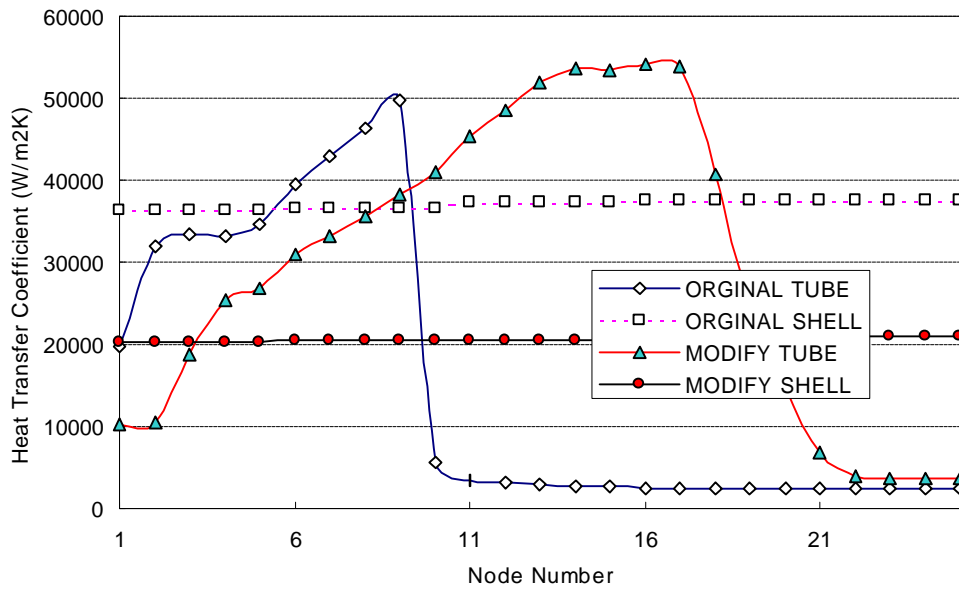
Shell Side Heat Transfer
 $Pr = 0.9, D = 1 \text{ cm}, P/D = 1.5$



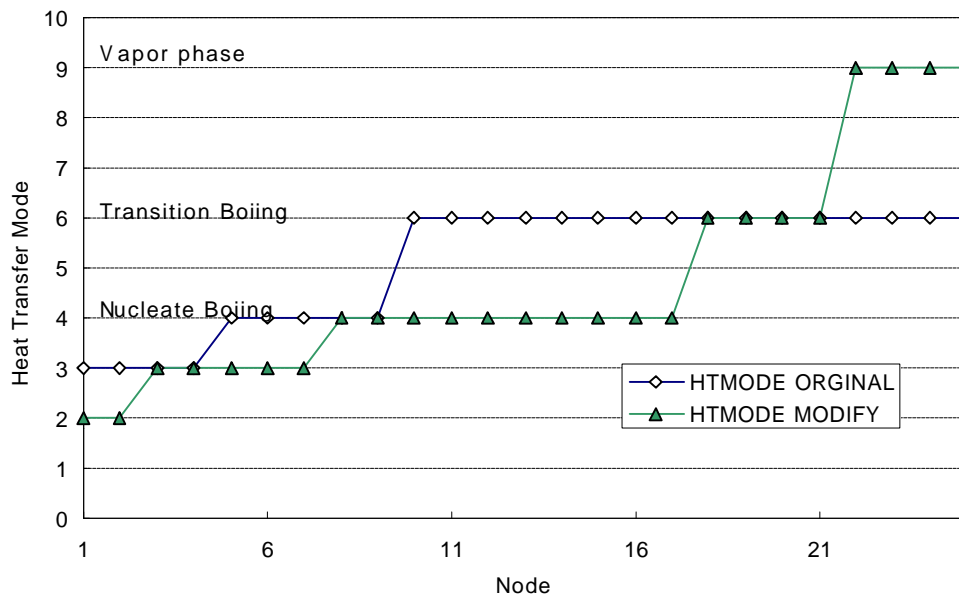
5. Shell



6. SMART



7. SMART



8. SMART