

Initial Core Start-up Model of the JRTR Simulator

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Introduction to Zero-Decay Heat Model

□ Why Zero-Decay Heat Model is required?

- The initial condition of the simulator aims at the full-power operation and the **equilibrium decay heat** is assumed with the infinite operation time.
→ **maximum decay heat** is assumed.
- A start-up operation of the initial core cannot be simulated appropriately under this condition because a **significant decay heat** exists for a very long time even if the reactor is scrammed.
 - ▶ It takes about 10^9 **seconds** for the FP decay power to decrease to **0.02 %** of the full-power assuming the infinite reactor operating time.
- In order to eliminate the effect of the decay heat during a fresh core operation, an initial condition of zero-decay heat is required.

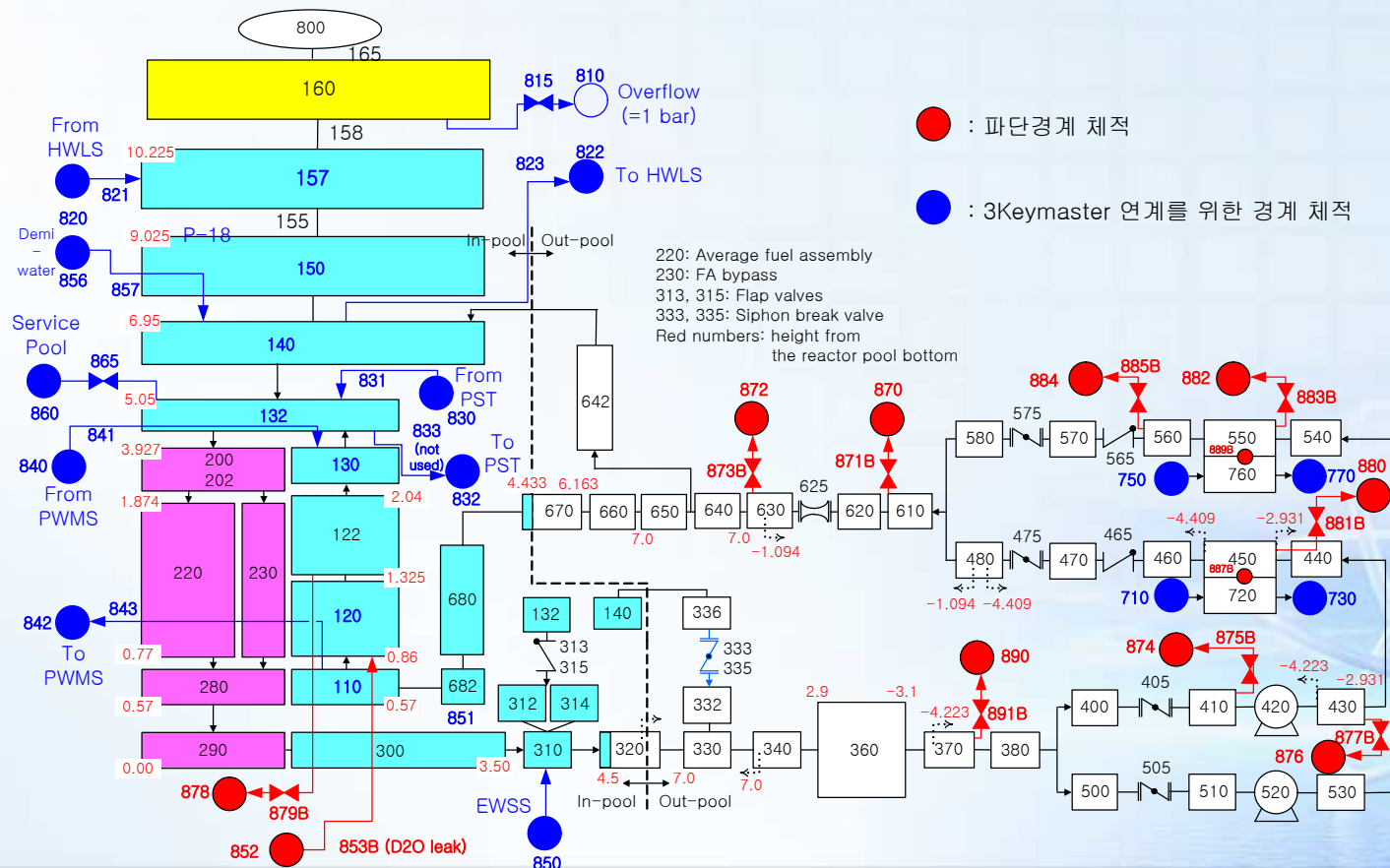
□ Two Step Calculation for Zero-Decay Heat

- Step 1: Steady-state run to stabilize thermal-hydraulic condition
 - ▶ Considering fission power only neglecting feedback and decay heat
- Step 2: Transient run with immediate reactor scram
 - ▶ Restoring feedback reactivity and decay heat calculation

JRTR PCS Analysis Model

□ MARS Model for Primary Cooling System (PCS)

- Input deck for safety analysis of JRTR to simulate PCS and Rx pool
- Adding boundary volumes and junctions for interface with 3KeyMaster
 - ▶ To reflect change of boundary conditions between PCS and other system



Point Kinetics Model for JRTR

Improvement of Point Kinetics

Xenon transient model

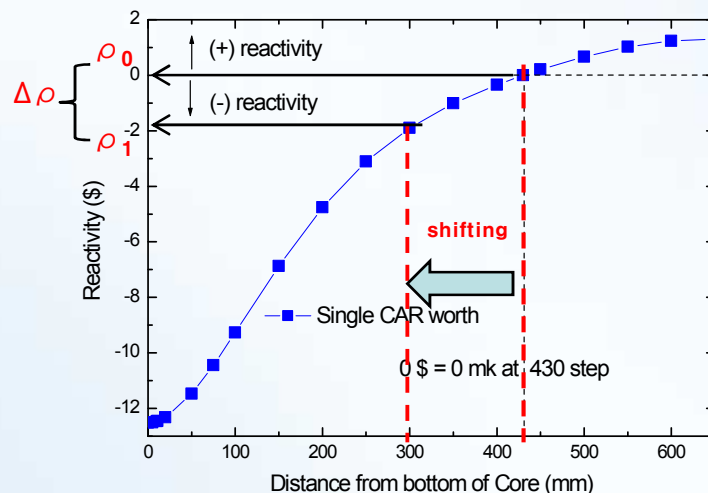
$$\frac{d\hat{I}}{dt} = \lambda_I (\hat{N} - \hat{I}) \Rightarrow \text{I-135 produced by fission and decayed}$$

$$\frac{d\hat{X}}{dt} = \frac{\lambda_X + \lambda_e}{\gamma_X + \gamma_I} (\gamma_X \hat{N} + \gamma_I \hat{I}) - (\lambda_e \hat{N} + \lambda_X) \hat{X}$$

⇒ Xe produced by fission and decay of I-135
Decayed by neutron absorption and decay of itself

Variable	Description	Value	Unit	Remark
λ_I	Decay Constant of I-135	2.87E-05	1/s	
λ_X	Decay Constant of Xe-135	2.09E-05	1/s	
λ_e	Effective Decay Constant of Xe-135	1.51E-04	1/s	$\lambda_e = \sigma_{ax}\phi_0$
γ_I	Yield Fraction of I-135	5.60		
γ_X	Yield Fraction of Xe-135	3.00E-01		

Shifting critical rod position by modifying bias reactivity



$$\rho(t) = \rho_i + \rho_{scram}(t) + \sum \rho_{feedback}(t) + \rho_{bias}$$

$$\rho(0) = \rho_i + \rho_{scram}(0) + \sum \rho_{feedback}(0) + \rho_{bias} = \rho_i$$

$$\therefore \rho_{bias} = -\sum \rho_{feedback}(0) - \rho_{scram}(0)$$

$$\begin{aligned} \rho_{bias}' &= -\sum \rho_{feedback} - \rho_1' \\ &= -\sum \rho_{feedback} - \rho_0 - \Delta\rho \quad (\because \Delta\rho = \rho_1 - \rho_0) \\ &= \rho_{bias} - \Delta\rho \end{aligned}$$

Point Kinetics Data (1)

□ Point Kinetics and Reactivity

$$\frac{dn(t)}{dt} = \frac{\rho(t) - \beta_{eff}}{\Lambda} n(t) + \sum_i \lambda_i C_i(t) + S$$

$$\frac{dC_i(t)}{dt} = \frac{\beta_{eff} f_i}{\Lambda} n(t) - \lambda_i C_i(t)$$

□ Delayed Neutron Group

- MARS can deal with maximum six delayed neutron groups

→ Neglecting photo-neutron group

□ Rod Worth by Scram Reactivity

- Rod position vs. reactivity table
- Critical rod position

- ▶▶ 430 mm from bottom of core
- ▶▶ Rod worth is zero at that height.

$$r(t) = r_i + \sum r_{fb}(t) + \sum r_{sc}(t) - r_B \quad \left(r(t) = \frac{\rho(t)}{\beta_{eff}} \right)$$

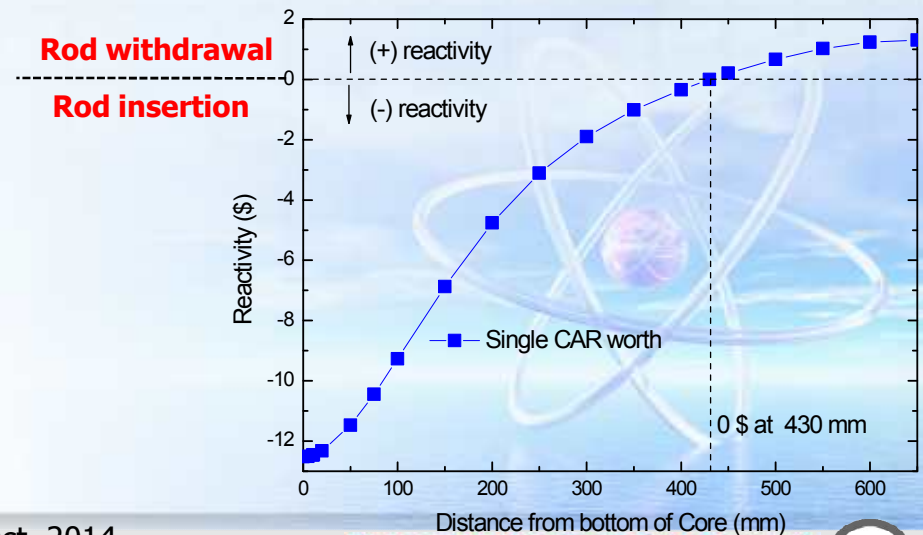
where, r_i : initial reactivity

$r_B = \sum r_{fb}(0) + \sum r_{sc}(0)$, bias reactivity

r_{fb} : feedback reactivity

r_{sc} : scram and other reactivity

Group	Decay constant	Yield fraction (%)
1	0.0125	3.2
2	0.0317	16.8
3	0.1090	16.4
4	0.3170	45.6
5	1.3500	13.3
6	8.7300	4.7



Point Kinetics Data (2)

□ Feedback Reactivity

- Feedback reactivity is not considered in the 1st step.
- In the 2nd step, all reactivity from feedback with axial node weighting is considered.
 - ▶ Moderator temperature coefficient = -0.0054 mk/K
 - ▶ Fuel temperature coefficient = -0.01 mk/K

□ Decay Heat Model

- 1st step calculation
 - ▶ Decay heat model is not included.
- 2nd step calculation
 - ▶ ANS73 model used with 1.0 gain value for B-E analysis
 - ▶ Actinide decay model is not used.
 - ▶ Power operational history option is used with zero operating time.
 - For initial core start-up model
 - ▶ Reactor is scrammed at first to minimize decay power in Step 2 calculation.

Two-step Method for Zero-Decay Heat

□ The 1st Step Calculation

○ Steady-state run without feedback and decay heat

- ▶ 'no-gamma' option used for decay heat model and all feedback reactivity = 0
- ▶ Total reactor power: 5 MW (produced by fission only)
 - Thermal-hydraulic condition (temperature of fluid and heat structure) will be stabilized at the full power level.
 - Reference temperatures of fluid and heat structures, which will determine the feedback reactivity in the 2nd step calculation, are determined in this step.

□ The 2nd Step Calculation

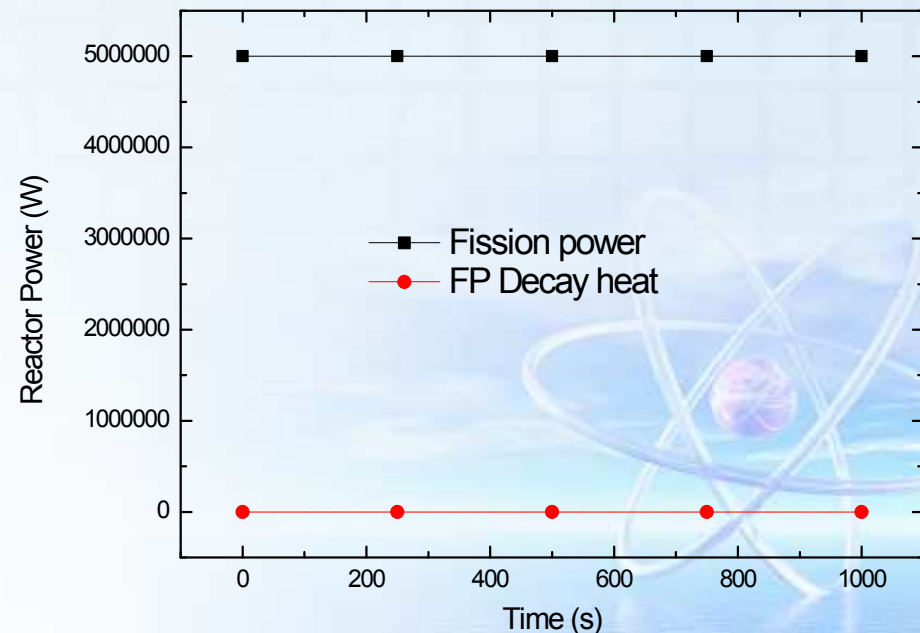
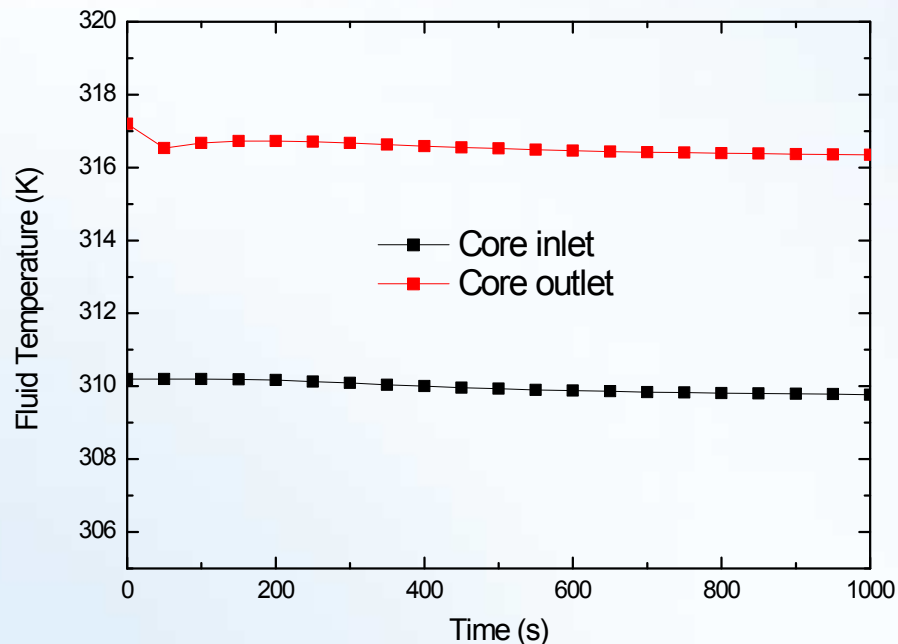
○ Restart run with feedback and decay heat by using `rstplt` file from 1st step

- ▶ All existing inputs for kinetics are replaced with new inputs.
- ▶ 'gamma' option is used for decay heat and feedback reactivity is restored.
- ▶ Power history data → zero operating time
- ▶ Reactor scram should be invoked at first to decrease decay heat power.
 - Fission product decay heat is proportional to the fission power.
 - Without reactor scram, fission product decay heat would be increased drastically and reach a significant level in short time.

Results: 1st Step Run

□ Steady-state Run Results

- Running for 1000 sec. to stabilize thermal-hydraulic conditions
- Fluid conditions are stabilized in 1000 sec.
 - ▶▶ Core inlet and outlet temperature are slightly changed but almost stabilized.
 - ▶▶ Heat structures also become equilibrium as fluid conditions become stable.
- Reactor power is maintained at constant value during calculation
 - ▶▶ No feedback and no decay heat



Results: 2nd Step Run

□ Restart Run Results

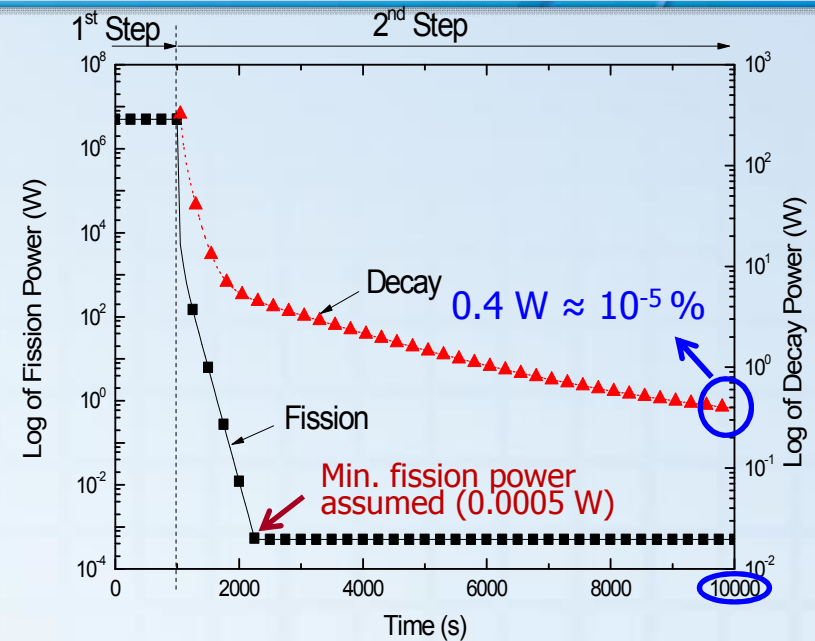
- Running for 9000 sec. to decrease decay heat by using 1st rstplt
- All rods are fully inserted into core at first to simulate reactor scram.

▶ At first, a certain amount of decay heat is generated due to significant fission power but decreased as fission power is vanished.

- A little of decay heat is generated but negligible.

▶ Finally, decay heat is decreased to negligible level (0.4 W) for 9000 s only.

▶ Calculation time is quite less than that of case when maximum decay heat is assumed.



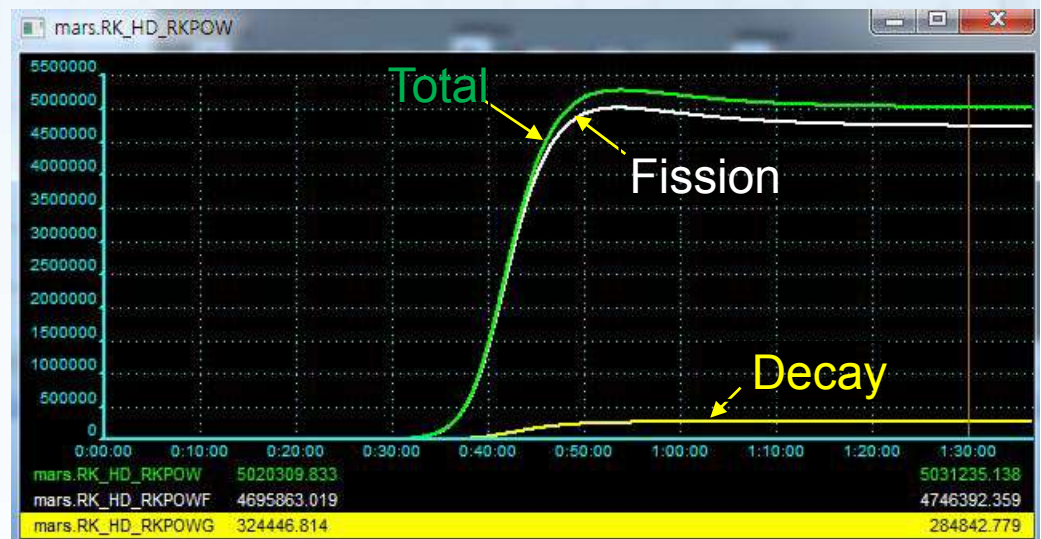
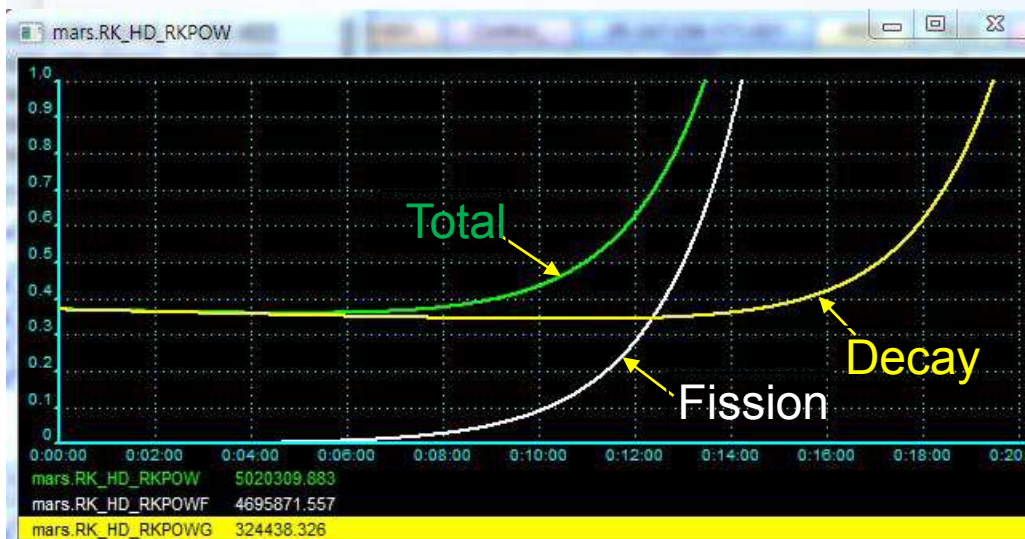
Initial Core Start-up Simulation

□ Assumptions

- All reactor control systems including RRS and RPS are not used.
- Xenon poison is not considered.
- Secondary cooling system (SCS) is under normal operation.
- Withdrawing all CARs to critical position for the start-up operation
 - ▶ Remember that all reactivity feedback should be zero at full power level.

□ Reactor Power

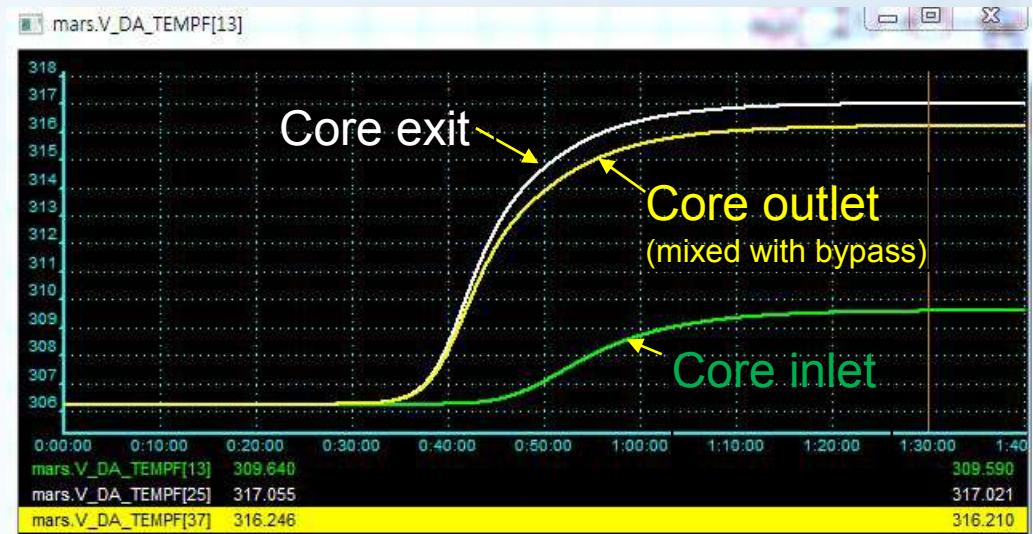
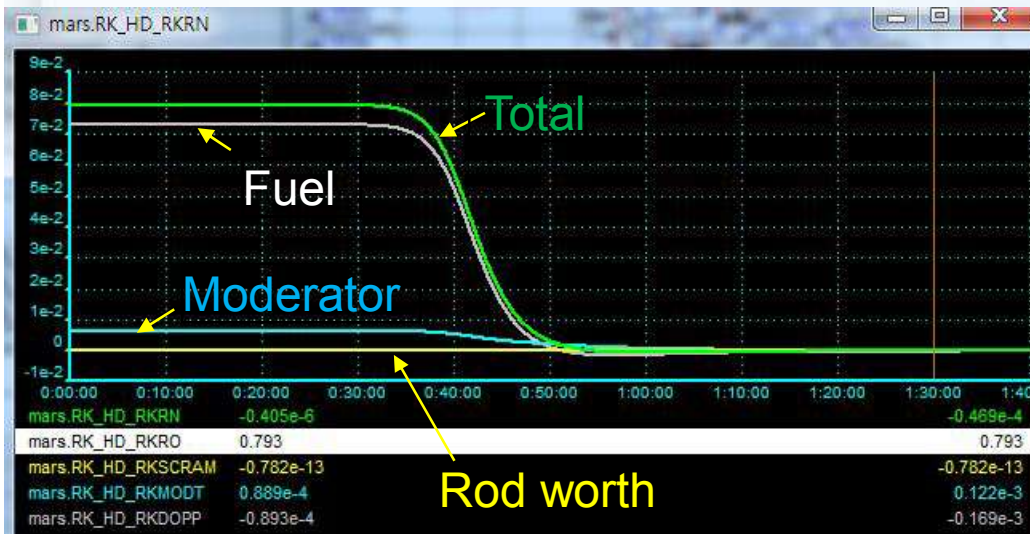
- Positive reactivity is inserted due to low fluid and fuel temperature (+\$ 0.08)
- Slight power overshoot is estimated before decay heat is in equilibrium.



Initial Core Start-up Simulation

□ Reactivity and Fluid Temperature

- Rod worth is zero because all rods are in critical position.
- Both fuel and moderator reactivity are decreased as core exit temperature increases after 30 minutes.
- As fluid temperature increases, total reactivity comes to zero.
- Core inlet temperature slowly increases as core outlet temperature increases.



Summary

- ❑ Nearly **zero-decay heat condition** has been generated with two-step calculation method by using the **MARS** code to simulate the start-up operation of the fresh core.
- ❑ This is very **effective way to simulate the start-up operation** because the decay power which can affect the temperature of the coolant and fuel during the operation is at extremely low level.
- ❑ As for simulator application, this method has been successfully applied into the **JRTR simulator**.
- ❑ This method will be applicable to not only the **simulator** but also general **safety analysis** for the initial core by using the **MARS** code.