

A Conceptual Study of Using an Isothermal Compressor on S-CO₂ Cooled KAIST Micro Modular Reactor (KAIST-MMR)

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Background – KAIST MMR

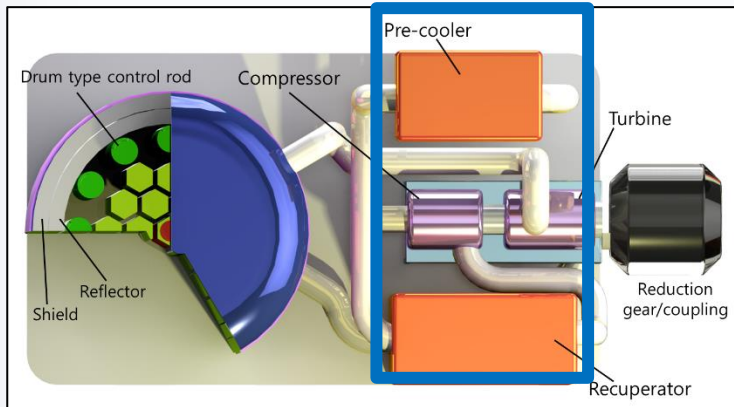


Fig. 1 – Component schematic of KAIST MMR [1]

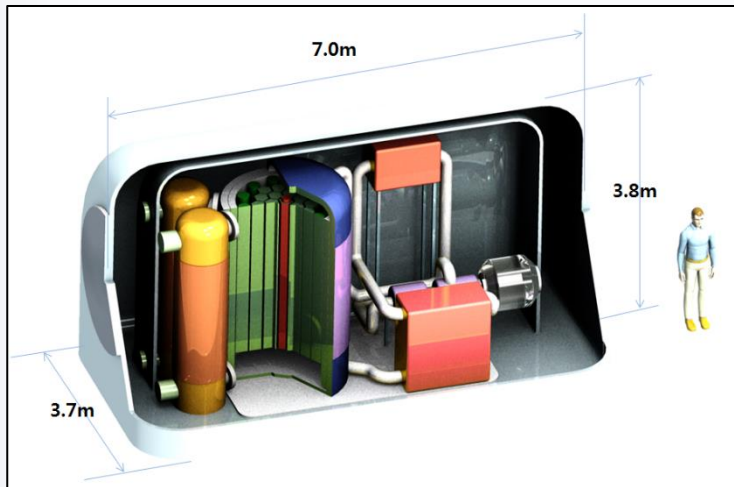


Fig. 2 – Overview schematic of KAIST MMR [1]

Descriptions:

- Small Modular Reactor (SMR) concept
- 12MWe produced from 36MWt nuclear core
- Reactor cooled by supercritical carbon dioxide (S-CO₂)
- Adopts the S-CO₂ Brayton cycle as power conversion system

Background – S-CO₂ cycle

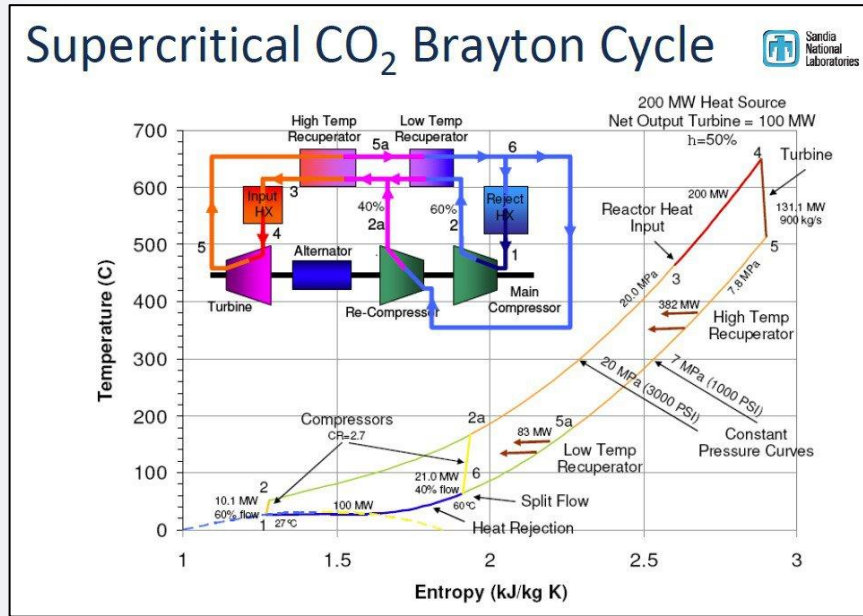


Fig. 3 – Supercritical CO₂ cycle T-s diagram [2]

Supercritical CO₂ (state beyond the critical point)

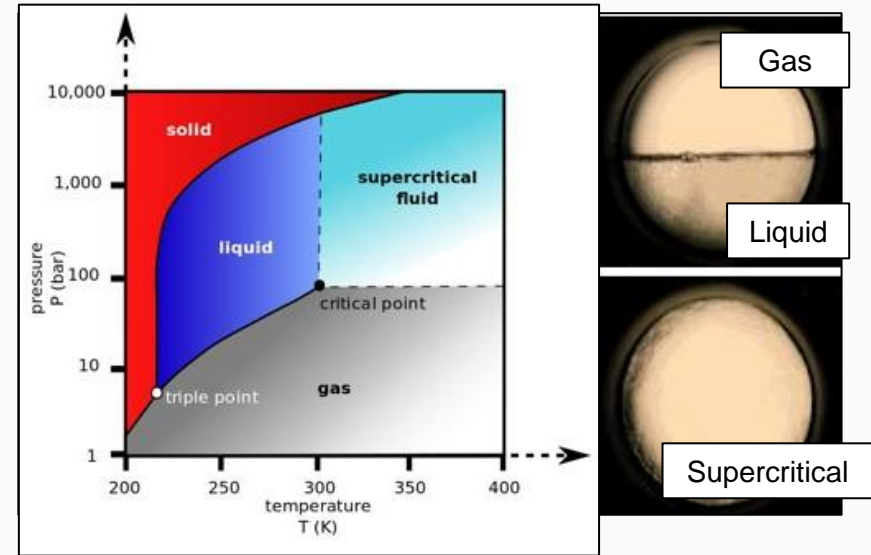


Fig. 4 – Supercritical CO₂ phase diagram [2]

Supercritical CO₂ Cycle:

- New technology to replace conventional steam Rankine cycle
- Working fluid: S-CO₂ (single phase)
- Liquid-like low compressibility factor near critical point

Background – S-CO₂ cycle

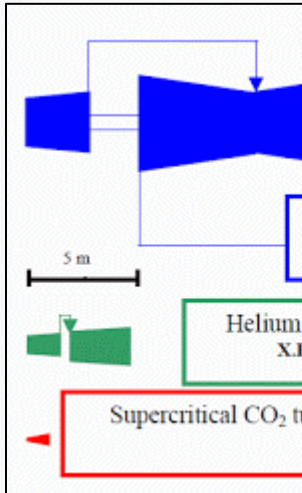
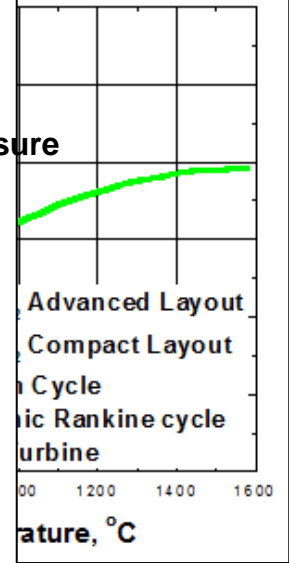
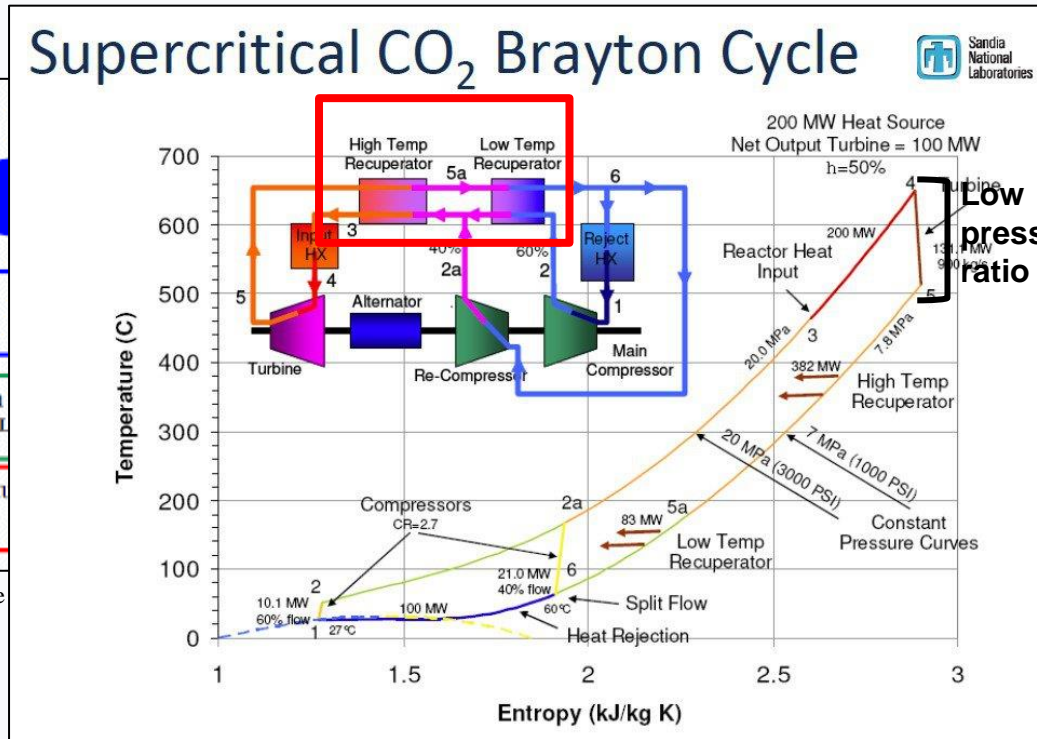


Fig. 5 – Size of S-CO₂ turbine



Advantages	Limitations
<ul style="list-style-type: none"> -Smaller size turbomachines -Single-phase system -Better efficiency 	<ul style="list-style-type: none"> -Low pressure ratio (higher mass flow rate → pressure losses ↑) -Recuperator with large surface area (larger HX)

Background – isothermal compression

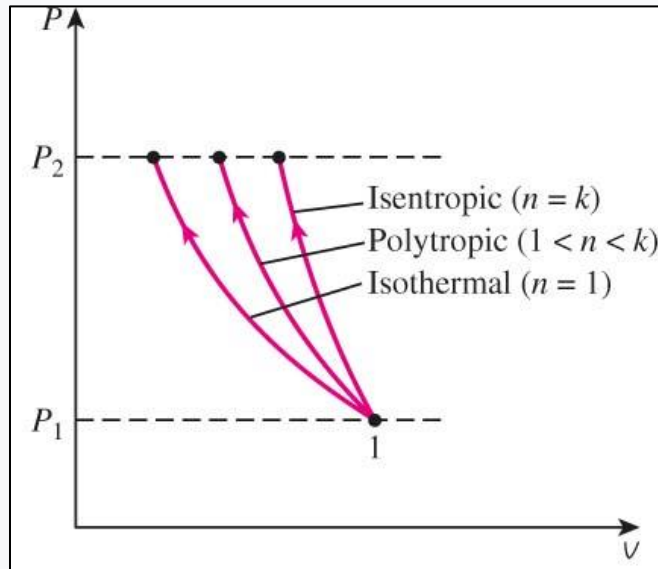


Fig. 7 – Types of compression processes on P-v diagram [4]

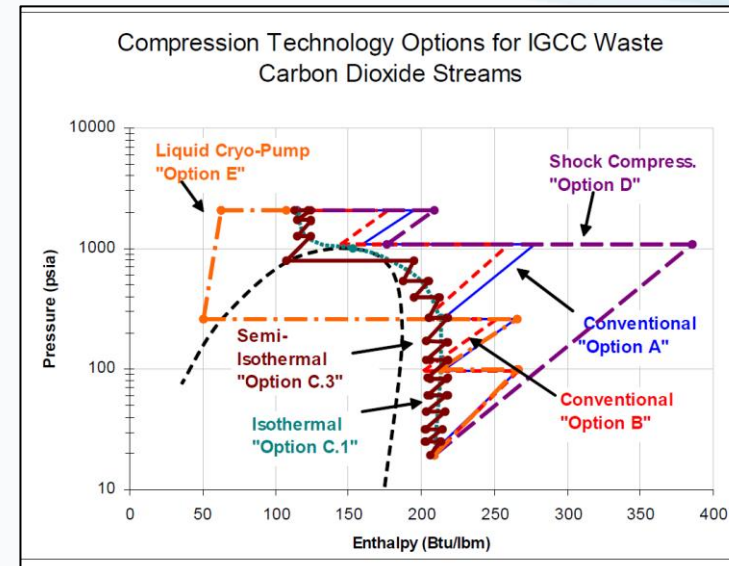
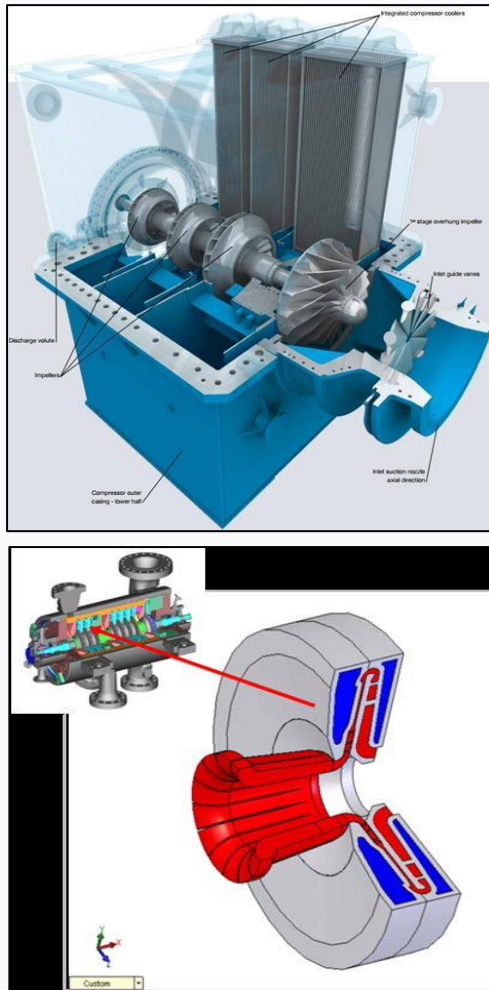


Fig. 8 - Compressor technology options on P-h diagram [5]

Descriptions:

- Minimum compression work
- In reality, perfect isothermal compression is impossible
- Various ways to realize “near” **isothermal compression process**, by removing heat of compression during compression process

Background – isothermal compressor



Isothermal compressor technology:

- Previous researches mainly done for carbon capture applications
- MAN Turbo, SwRI are pursuing further development
- But, has not been applied to S-CO₂ cycles

→ In this study, the potential of using isothermal compressor technology to S-CO₂ power cycle is studied

Fig. 9,10 – Concepts of isothermal compressor for compressing CO₂ [5]

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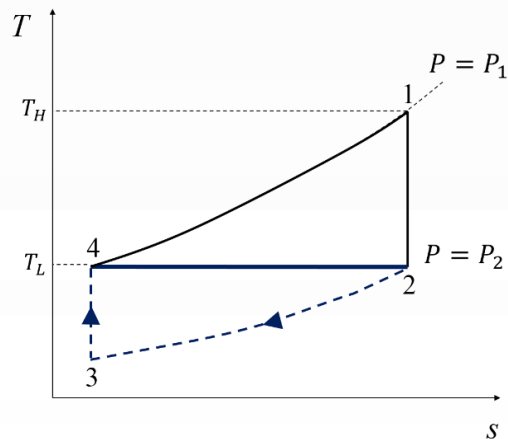
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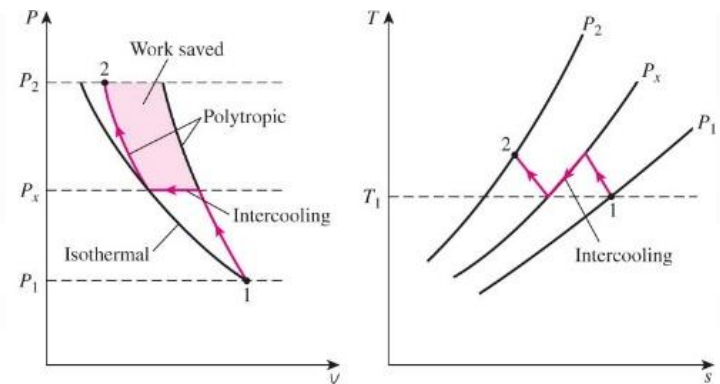
Definition – isothermal compressor

2-Stage Approach



- Simplifies the problem as two-stage, cooling and adiabatic compression
- Conventional frame of compressor efficiency
- Inflexible to changes in layout and operating conditions

Infinitesimal Approach



- Requires hardware design parameters including the number of intercooling stages and polytropic coefficients
- Mathematically complex for calculation
- Flexible under various conditions

Definition – isothermal compressor

Infinitesimal Approach

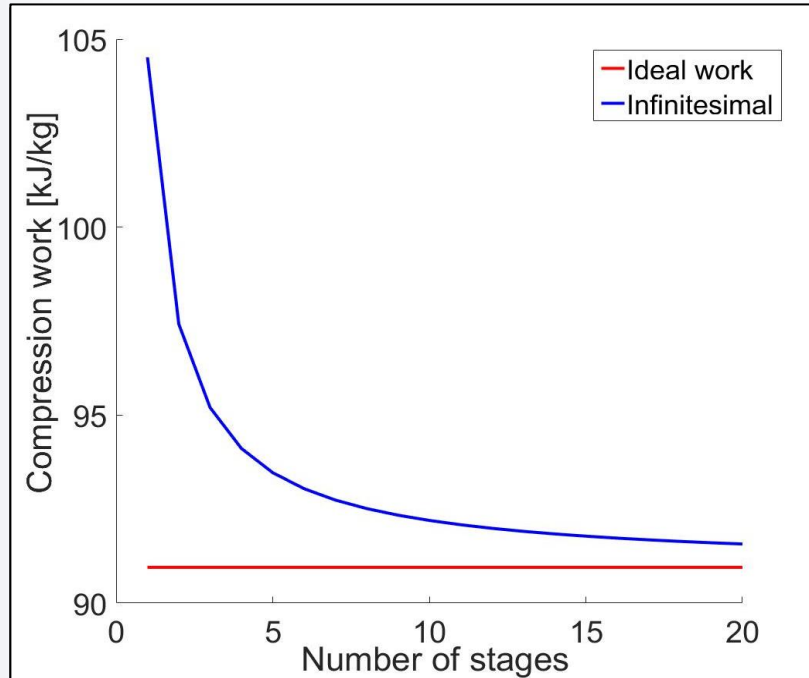


Fig. 12 –Calculation of isothermal compression work under ideal gas assumptions

Descriptions:

- Isentropic compression (red) + cooling (blue)
- Total real work = $\sum_m w_{x,i}$
(m : number of intermediate stages, $w_{x,i}$: work of isentropic compressions)
- Under ideal gas assumptions, infinitesimal approach converges to ideal isothermal compression

Optimal pressure ratio of multistage compression + cooling process:

$$P_{ratio} = \frac{P_{out}}{P_{in}} = \frac{P_{x1}}{P_{in}} \frac{P_{x2}}{P_{x1}} \dots \frac{P_{x,m}}{P_{x,m-1}}, \quad P_{ratio,inf} = (P_{ratio})^{\frac{1}{m}}$$

Isentropic efficiency of isothermal compression (infinitesimal approach)

$$\eta_{iso-c} = \frac{\text{ideal work}}{\text{actual work}} = \frac{\text{isentropic multistage compression work}}{\text{actual multistage compression work}}$$

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Analysis - Conditions

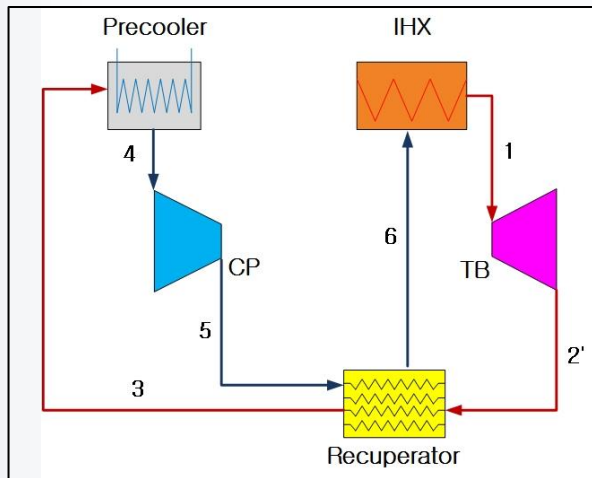


Fig. 13 – Schematic figure of simple recuperated S-CO₂ Brayton cycle

Design Parameters	Values
Q (MWth)	36.2
Turbine inlet temperature (°C)	550
Compressor outlet pressure (MPa)	20
Compressor inlet temperature (°C)	60
Pressure ratio	2.59
Turbine efficiency (%)	92.3
Compressor efficiency (%) (Isentropic compression stage efficiency)	85.0
Recuperator effectiveness (%)	94.6

Table 1 – Representative design parameters for KAIST-MMR cycle analysis

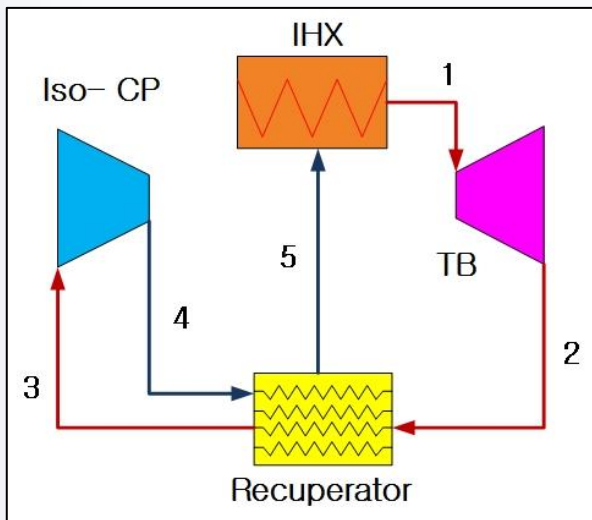


Fig. 14 – Schematic figure of S-CO₂ iso-Brayton cycle

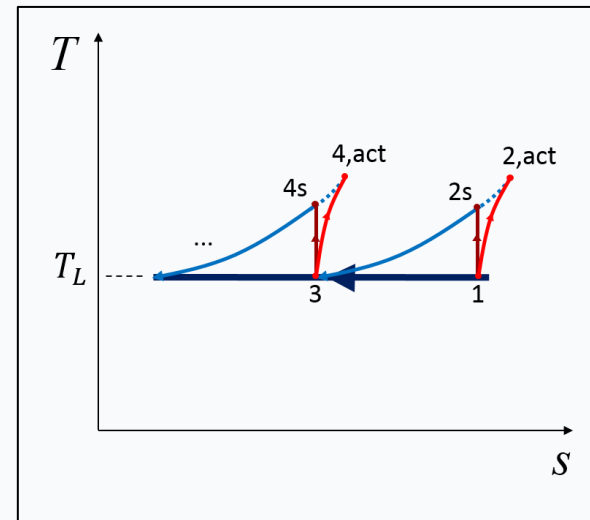


Fig. 14b – Diagram of isentropic compression stage efficiency

Analysis – Simple Recuperated

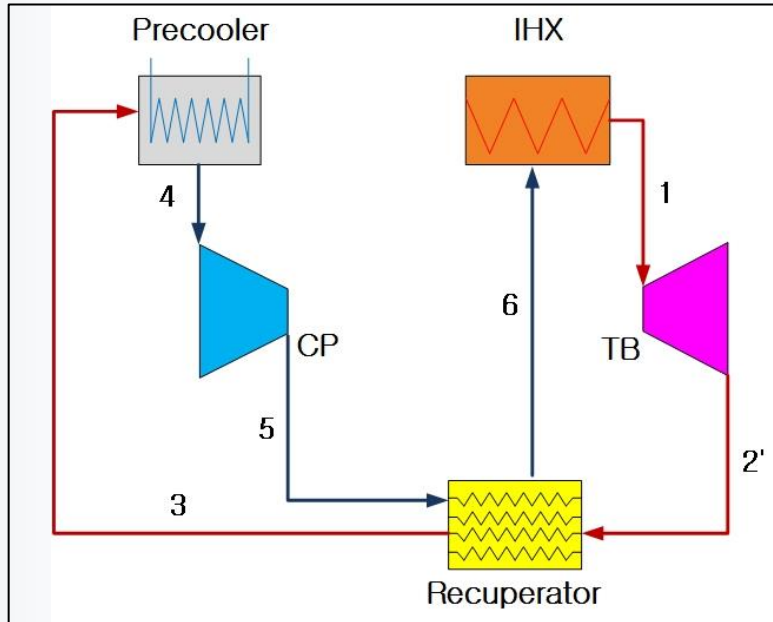


Fig. 15 – Schematic figure of simple recuperated S-CO₂ Brayton cycle

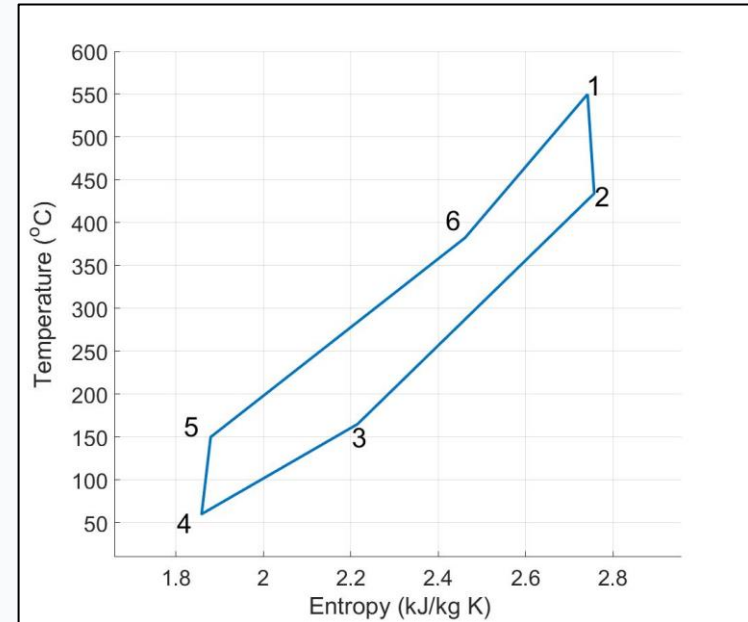


Fig. 16 – T-s diagram of simple recuperated S-CO₂ Brayton cycle under KAIST-MMR conditions

Cycle Performance Parameters	Values
Cycle Net Efficiency (%)	32.5
Compressor Work (MW)	10.2
Cycle Net Work (MW)	11.8
CO ₂ mass flow (kg/s)	175.69

Table 2 – Cycle performance results of simple recuperated S-CO₂ Brayton cycle under KAIST-MMR conditions

Analysis – Infinitesimal iso-Brayton

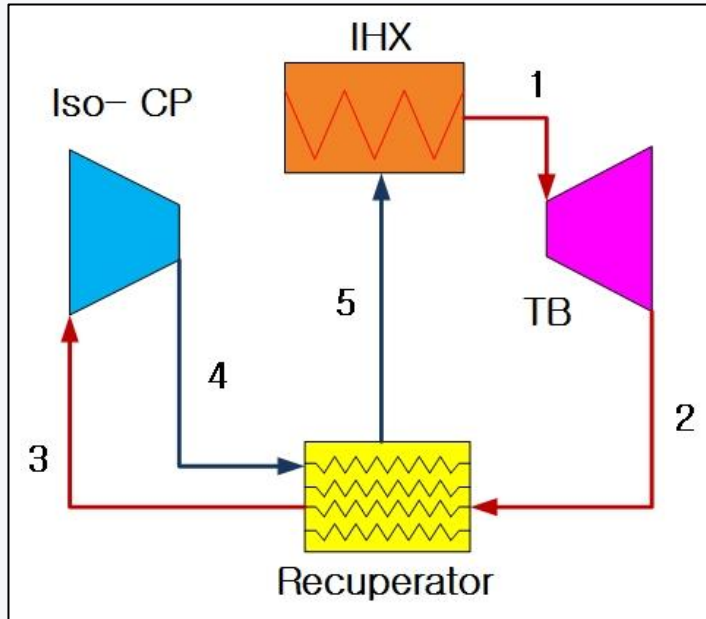


Fig. 17 – Cycle layout of iso-Brayton cycle in infinitesimal approach

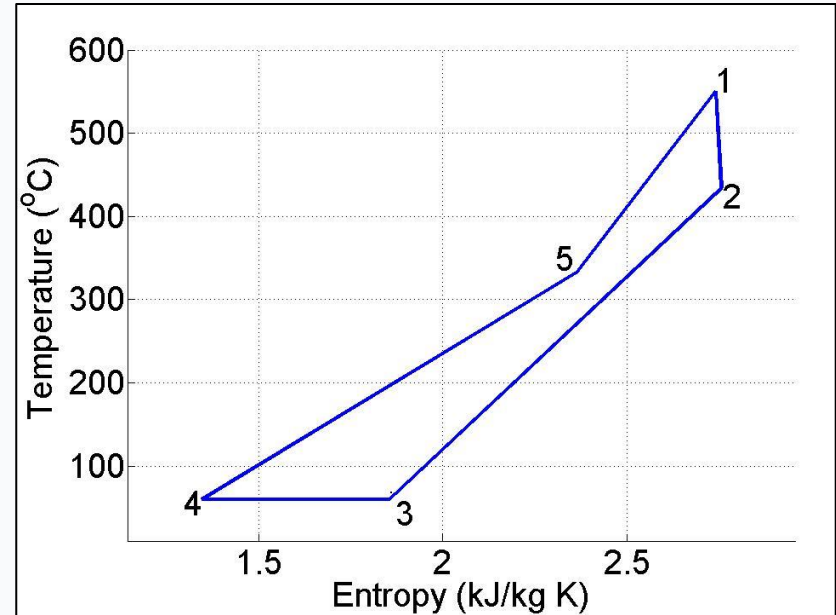


Fig. 18 – T-s diagram of iso-Brayton cycle in infinitesimal approach under KAIST-MMR conditions

Cycle Performance Parameters	Values
Cycle Net Efficiency (%)	33.4
Compressor Work (MW)	4.7
Cycle Net Work (MW)	12.1
CO ₂ mass flow (kg/s)	135.57

Table 3 – Cycle performance results of S-CO₂ iso-Brayton cycle under KAIST-MMR conditions

Analysis - Comparison

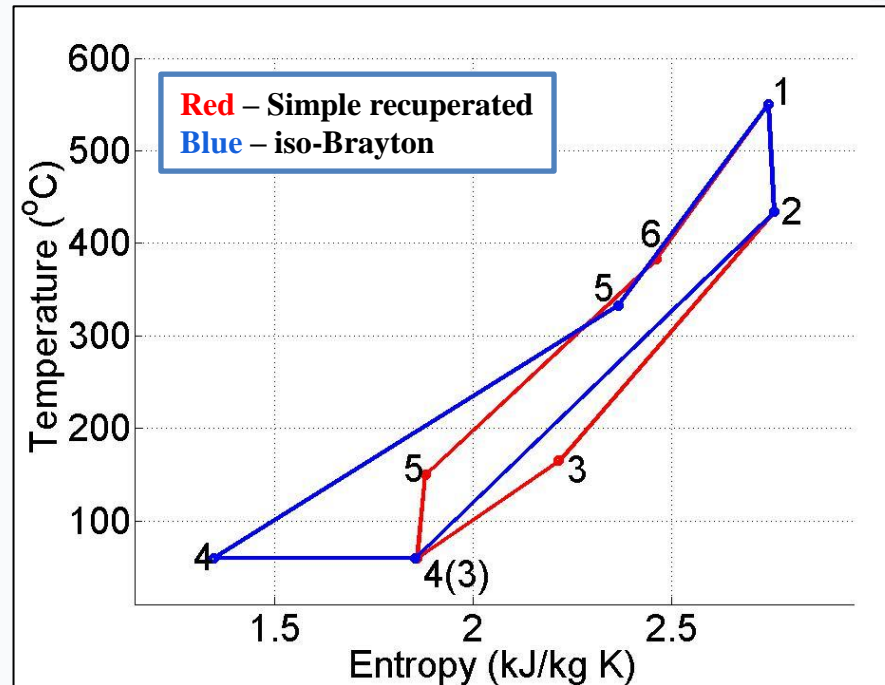


Fig. 21 – T-s diagram of simple recuperated S-CO₂ Brayton cycle and iso-Brayton cycle under KAIST-MMR conditions

Cycle Performance Parameters	Simple Recuperated	Iso-Brayton
Cycle Net Efficiency (%)	32.5	33.4
Compressor Work (MW)	10.2	4.7
CO ₂ mass flow (kg/s)	175.69	135.57

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Conclusions

1. Although the technology is only conceptual, using an isothermal compressor in the KAIST-MMR layout **increases cycle net efficiency**.
2. Combining the pre-cooler and the compressor to one turbomachine has potential to **reduce the total sizing** of the reactor system.
3. Having reduced mass flow rate implies less pump work, less pressure drop in piping.
4. Through the isothermal compressor, total compressor work can be reduced greatly, up to 50%.

Further Works

1. Heat exchanger sizing analysis via KAIST-HXD in-house code
2. Isothermal compressor turbomachinery design via KAIST-TMD code
3. Optimization of cycle layout and parameters (e.g. sensitivity analysis with pressure ratio)
4. Experimental setup and analysis using KAIST SCO₂PE for near isothermal compression experiments



Fig. 23 – KAIST SCO₂PE Experimental Apparatus

References

- [1] S. Kim, S. Baik, J. Moon, H. Yu, Y. Jeong, Y. Kim, J. Lee, Conceptual System Design of a Supercritical CO₂ cooled Micro Modular Reactor, Proceedings of ICAPP 2015, May 3-6, Nice, France.
- [2] DODGE, EDWARD. "Supercritical Carbon Dioxide Power Cycles Starting to Hit the Market." Breaking Energy. Breaking Energy. Web. 09May 2016.
- [3] V. Dostal, A Supercritical Carbon Dioxide Cycle for Next Generation Nuclear Reactors, Ph. D. Thesis, Massachusetts Institute of Technology, 2004.
- [4] Çengel, Yunus A., and Michael A. Boles. Thermodynamics: An Engineering Approach. 7th ed. Boston: McGraw-Hill, 2011. 361-362. Print.
- [5] Moore, J. Jeffrey, Ph.D, Marybeth G. Nored, Ryan S. Gernentz, and Klaus Brun, Ph.D. "Novel Concepts for the Compression of Large Volumes of Carbon Dioxide." (2007). Web. 29 Jan. 2016.

THANK YOU!

Appendix

Under ideal gas assumptions,

Equation (1):

$$\begin{aligned}\eta_{iso-c} &= \frac{w_{iso-c}}{w_{real,a,c}} = \frac{RT_L \ln \frac{P_1}{P_2}}{h_4 - h_3} = \frac{RT_L \ln \frac{P_1}{P_2}}{h_{4s} - h_3} \eta_{a,c} = \frac{RT_L \ln \frac{P_1}{P_2}}{\frac{kRT_3}{k-1} \left(\left(\frac{P_1}{P_2} \right)^{\frac{k-1}{k}} - 1 \right)} \eta_{a,c} \\ &= \frac{\frac{k-1}{k} \left(\frac{T_L}{T_3} \right) \ln \left(\frac{P_1}{P_2} \right)}{\left(\frac{P_1}{P_2} \right)^{\frac{k-1}{k}} - 1} \eta_{a,c} = \frac{\frac{k-1}{k} \ln \left(\frac{P_1}{P_2} \right)}{1 - \left(\frac{P_1}{P_2} \right)^{\frac{k-1}{k}}} \eta_{a,c} \\ \left(h_{4s} - h_3 \right) &= \int_3^{4s} v dP = \frac{kRT_4}{k-1} \left(\left(\frac{P_{4s}}{P_3} \right)^{\frac{k-1}{k}} - 1 \right) \\ &= \frac{kRT_4}{k-1} \left(\left(\frac{P_1}{P_2} \right)^{\frac{k-1}{k}} - 1 \right), \quad \left(\frac{T_L}{T_3} \right)_s = \left(\frac{P_1}{P_2} \right)^{\frac{k-1}{k}}\end{aligned}$$

Equation (2):

$$\begin{aligned}\eta_{iso-Brayton} &= \frac{q_{in} - q_{out}}{q_{in}} \\ &= \frac{(h_1 - h_4) - (RT_L \ln \frac{P_1}{P_2} \cdot \frac{1}{\eta_{iso-c}} - (h_4 - h_2))}{h_1 - h_4} \\ &= 1 - \frac{(h_4 - h_3) - (h_4 - h_2)}{h_1 - h_4} = 1 - \frac{h_2 - h_3}{h_1 - h_4} \\ &\left(h_4 = h_3 + \frac{1}{\eta_c} (h_{4s} - h_3), \quad h_1 = h_2 - \eta_T (h_1 - h_{2s}) \right)\end{aligned}$$

Further elaborating Equation (2),

$$\begin{aligned}\eta_{iso-Brayton} &= 1 - \frac{h_1 - \eta_T (h_1 - h_{2s}) - h_3}{h_1 - h_3 - \frac{1}{\eta_c} (h_{4s} - h_3)} \\ &= \frac{\eta_T \left(r^{\frac{k-1}{k}} - 1 \right) - \frac{1}{\eta_c} \left(1 - r^{-\frac{k-1}{k}} \right)}{r^{\frac{k-1}{k}} - r^{-\frac{k-1}{k}} - \frac{1}{\eta_c} \left(1 - r^{-\frac{k-1}{k}} \right)} \quad \left(r = \frac{P_1}{P_2} \right)\end{aligned}$$

Further elaborating Equations (3) and (4),

$$\begin{aligned}h_{2'} - h_6 &= h_5 - h_{4'} \\ h_5 &= h_{4'} + \epsilon (h_{2'} - h_{4'}) \\ h_6 &= h_{2'} - \epsilon (h_{2'} - h_{4'}) \\ \eta_{recup} &= 1 - \frac{q_{out}}{q_{in}} = 1 - \frac{h_6 - h_{3'}}{h_1 - h_5} \\ &= \frac{\eta_T (T_H - T_{2'}) - \frac{1}{\eta_c} (T_{4'} - T_L)}{T_H - (1 - \epsilon) \left(T_L + \frac{1}{\eta_c} (T_{4'} - T_L) \right) - \epsilon (T_H - \eta_T (T_H - T_{2'}))} \\ &= \frac{\eta_T r^{\frac{k-1}{k}} \left(1 - (r')^{-\frac{k-1}{k}} \right) - \frac{1}{\eta_c} \left((r')^{\frac{k-1}{k}} - 1 \right)}{r^{\frac{k-1}{k}} - (1 - \epsilon) \left(1 + \frac{1}{\eta_c} \left((r')^{\frac{k-1}{k}} - 1 \right) \right) - \epsilon r^{\frac{k-1}{k}} \left(1 - \eta_T \left(1 - (r')^{-\frac{k-1}{k}} \right) \right)} \\ &= \frac{\eta_T r^{\frac{k-1}{k}} \left(1 - (r')^{-\frac{k-1}{k}} \right) - \frac{1}{\eta_c} \left((r')^{\frac{k-1}{k}} - 1 \right)}{r^{\frac{k-1}{k}} - (1 - \epsilon) \left(1 + \frac{1}{\eta_c} \left((r')^{\frac{k-1}{k}} - 1 \right) \right) - \epsilon r^{\frac{k-1}{k}} \left(1 - \eta_T \left(1 - (r')^{-\frac{k-1}{k}} \right) \right)} \quad \left(r' = \frac{P_1}{P_{2'}} \right) \\ &\left(h_{4'} = h_3 + \frac{1}{\eta_c} (h_{4s} - h_3), \quad h_{2'} = h_1 - \eta_T (h_1 - h_{2's}) \right)\end{aligned}$$