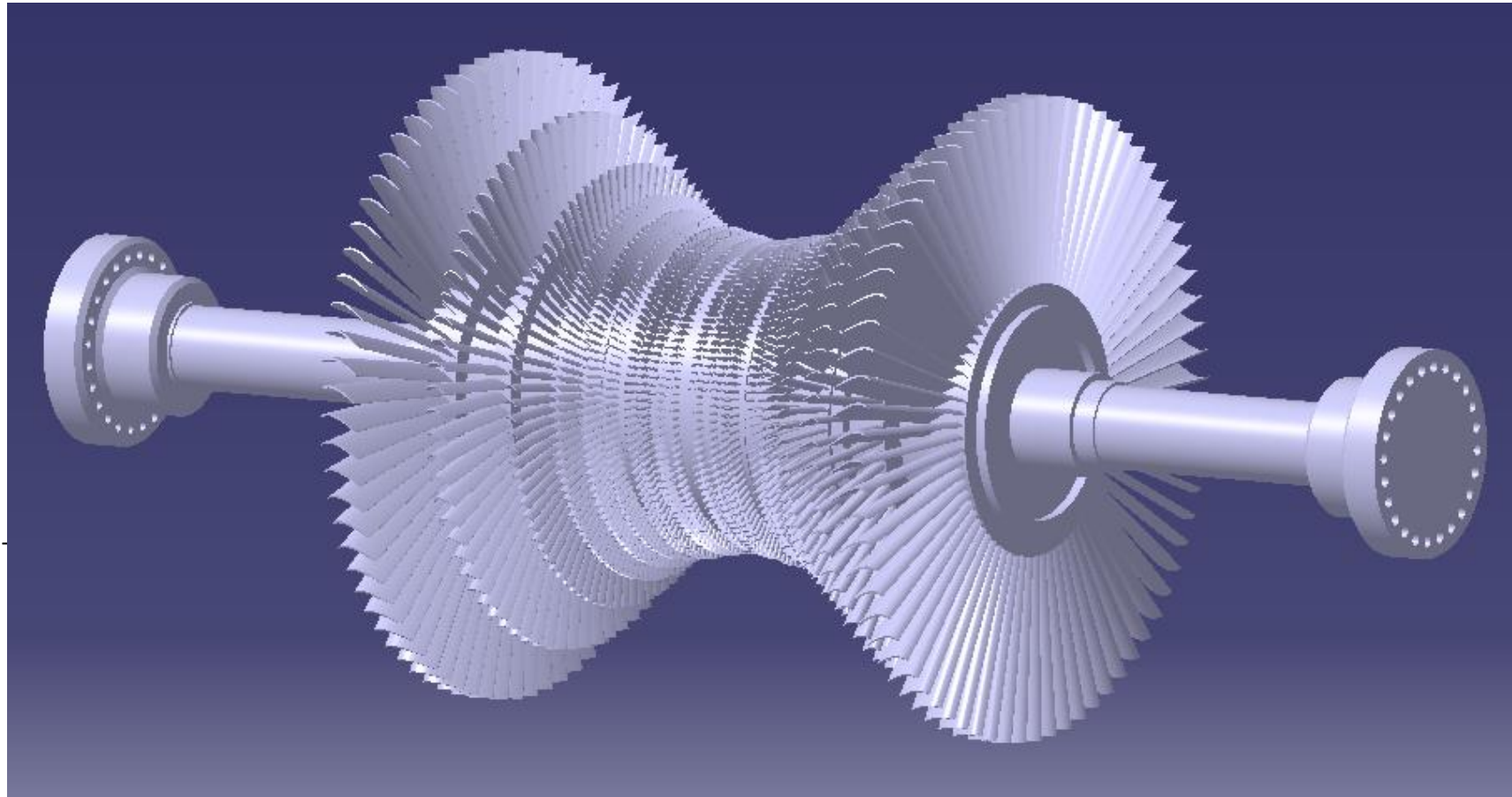


Rotordynamic Analysis of the AM600 Turbine-Generator Shaftline



Tshimangadzo Mudau

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삼단 한국원자력학회
KOREAN NUCLEAR SOCIETY

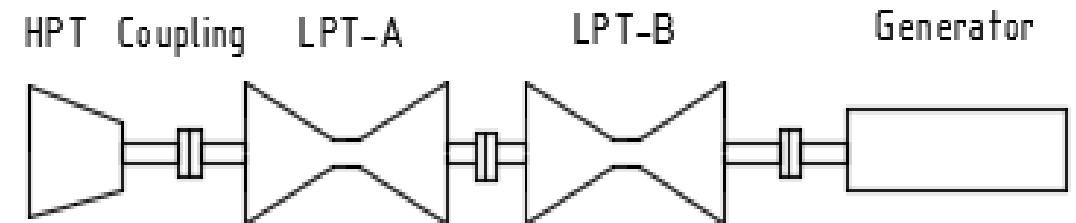
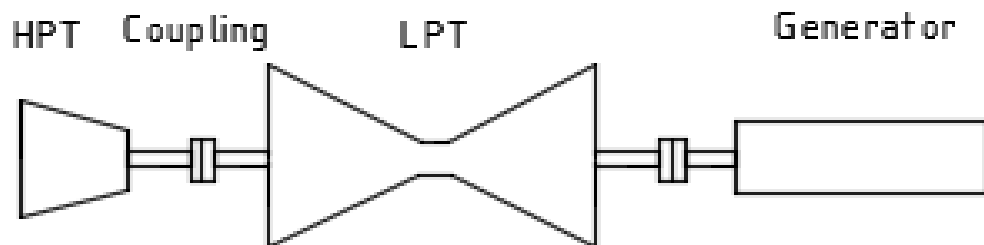
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- Literature Review
- Methodology
- Discussions
- Conclusion

Introduction to the AM600

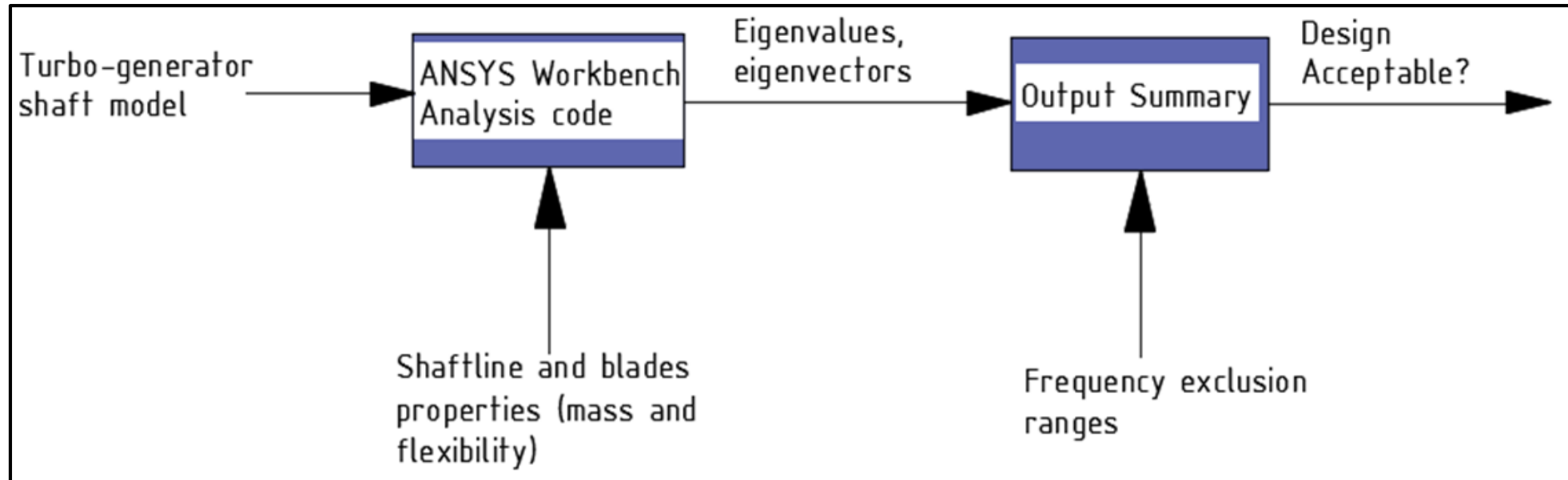
- ❑ Advanced Modern (AM) 600 MWe
 - ❑ Address challenges of emerging markets interested in NPP - grid capacity and infrastructure
 - ❑ Electrical grids are less stable, large variation in operating frequency drift, bringing shaftline into resonance
 - ❑ Must be robust to torsional vibration
- 50 Hz market – 1500 rpm
 - Single LPT cylinder, with 1.6m Last Stage Blades (LSB)
 - Welded drum type LPT rotor
- Countries with low heat sink temperatures (<math><15\text{ }^\circ\text{C}</math>)
 - Double LPT cylinders
 - Welded drum type LPT rotor



Significance of Natural Frequencies and Mode Shapes

(1) Torsional Natural Frequencies

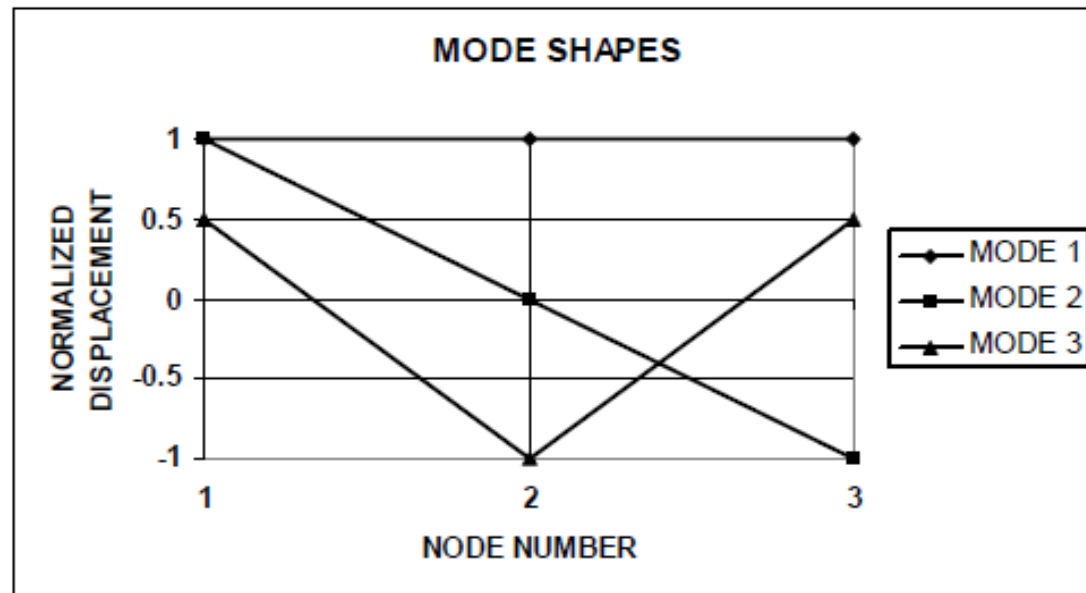
- Frequencies at which the system is most likely to respond to
- Used for evaluating against exclusion zones



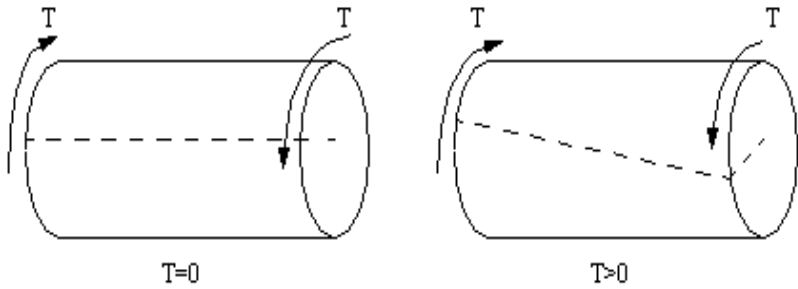
Significance of Natural Frequencies and Mode Shapes

(2) Torsional Mode Shapes - unique shape of deflection pattern

- Defines regions in the T - G that are most vulnerable to fatigue duty
- Estimating which modes which are most responsive to defined stimuli
- For guiding optimal locations of vibration sensors installations
- Identifying the most effective locations for modifying the inertia or stiffness (i.e., tuning)

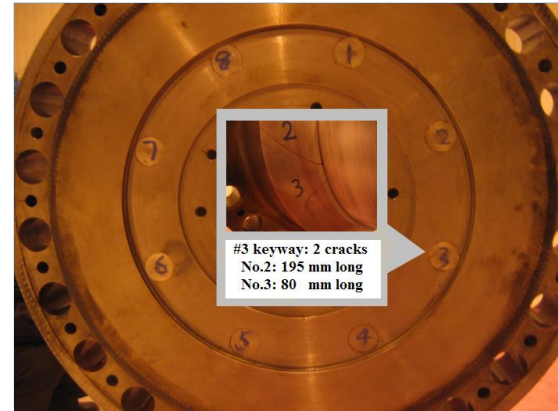


Torsional Vibration



Catastrophic Failures

- Retaining rings
- Shaft
- Couplings
- Last stage blades (LSB)



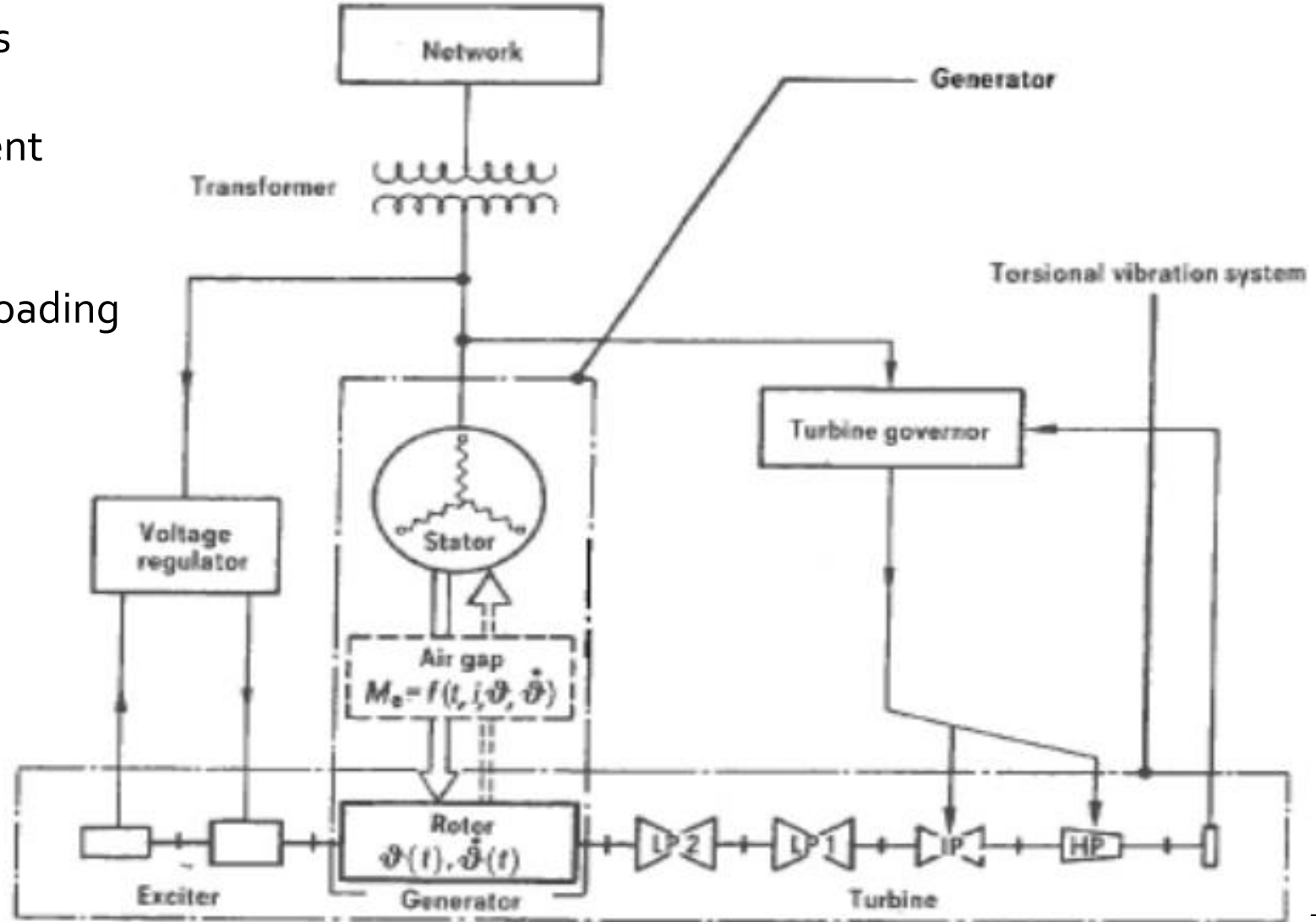
Torsional Excitations from the Generator

(1) Due to Electrical Systems

- Mal-synchronization
- Negative sequence current

(2) Due to Electrical Grid

- Non-symmetric electric loading (e.g. Steel industry)



Conventional Approaches to torsional Vibration Modelling

(1) Theoretical Calculations

- Rankine, Jeffcott, Holzer (1800s, century later – World War II)
- Lumped mass (parameter) approach
- Distributed mass approach

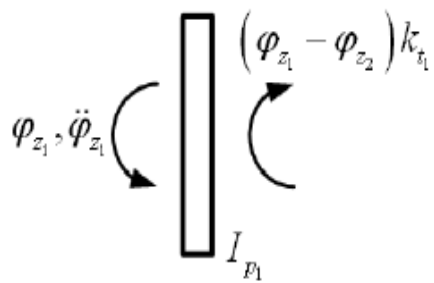
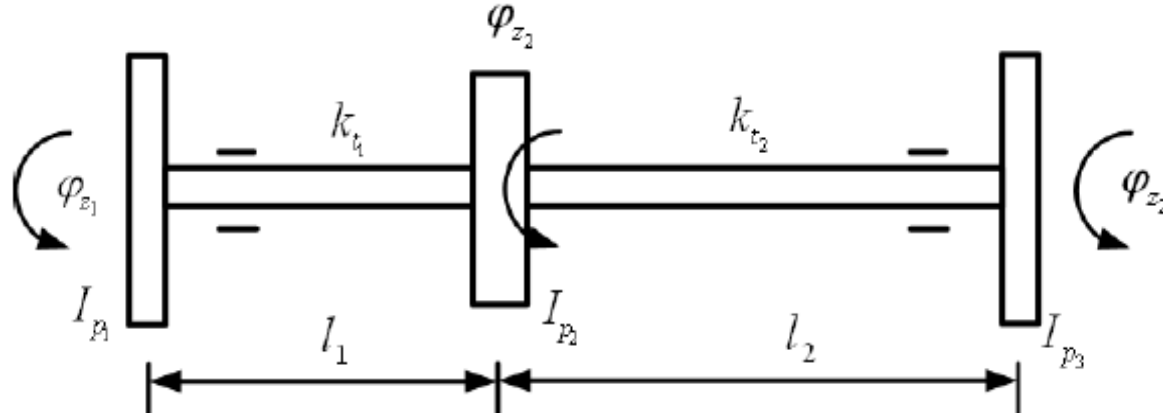
(2) Direct Measurement Using Sensors

- Telemetry

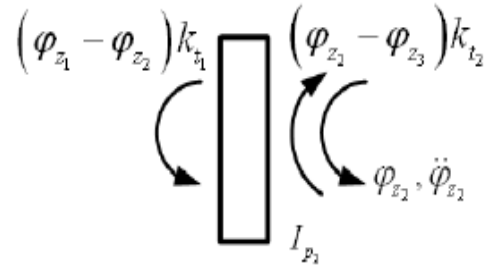
(3) Finite Element Analysis Softwares

- (e.g ANSYS, MatLab, ExcelRotor, LabView, etc.)

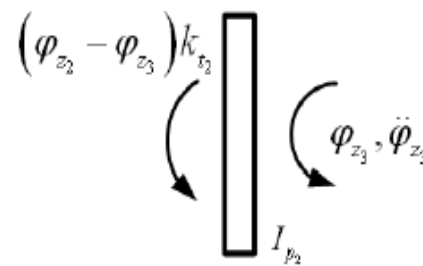
Lumped Mass Approach



(a) Disc 1



(b) Disc 2



(b) Disc 3

Newton 2nd Law of Motion:

$$[M]\{\ddot{\varphi}\} + [C]\{\dot{\varphi}\} + [K]\{\varphi\} = \{F(t)\}$$

Free – free and undamped vibration

$$[M]\{\ddot{\varphi}\} + [K]\{\varphi\} = \{0\}$$

Assuming harmonic motion

$$\varphi_i(t) = \varphi_i \sin(\omega_{nf}t)$$

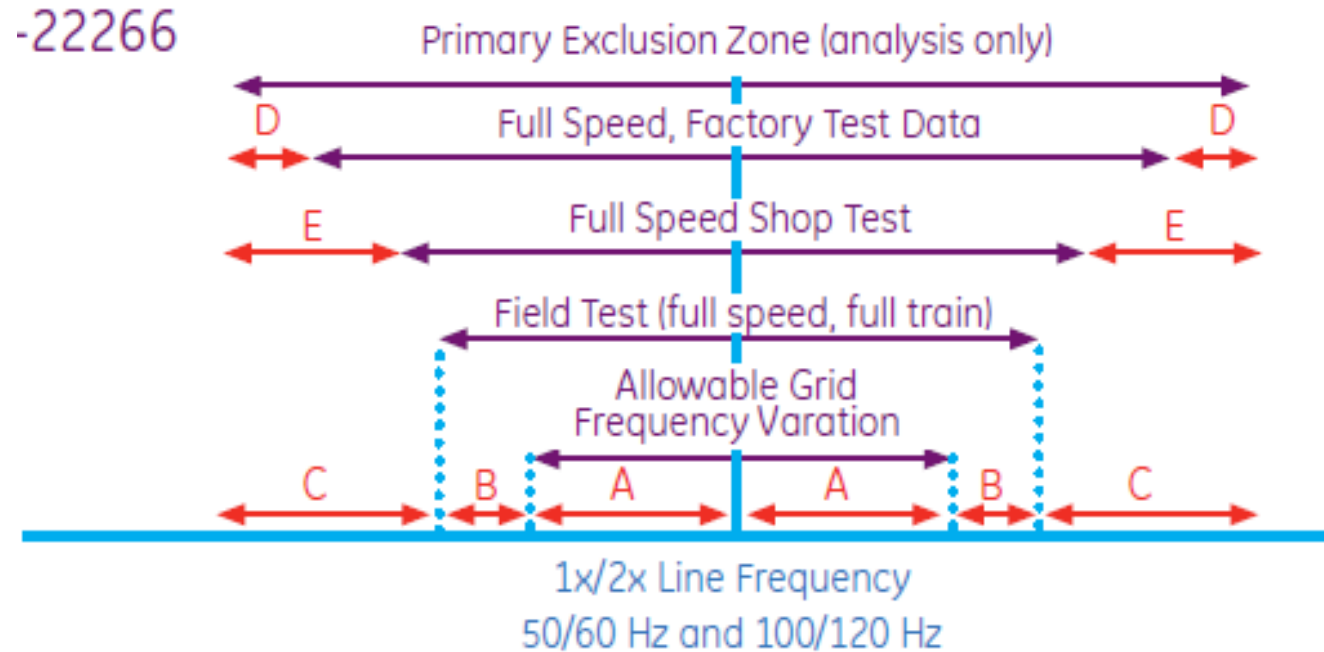
Therefore,

$$(-\omega_{nf}^2[I] + [K])\{\varphi\} = \{0\}$$

Which yields,

$$(-\omega_{nf}^2 + [D])\{\varphi\} = \{0\}$$

Torsional Frequency Margin (ISO – 22266)



If tests are carried out at room temperature, temperature correction factor, F, should be added to upper and lower bounds

Informative Limits:

- A. Allowable Grid Frequency Deviation $\pm 2.5\%$
- B. Margin from resonance $\pm 1\%$
- C. Calculation Uncertainty $\pm 2.5\%$
- D. Full-speed generator, static LP test $\pm 1\%$
- E. Full-speed generator and LP test $\pm 2\%$
- F. Temperature effects $\pm 1\%$

Shifting Torsional Modes

Two (2) methods available:

(1) Temporary Solutions

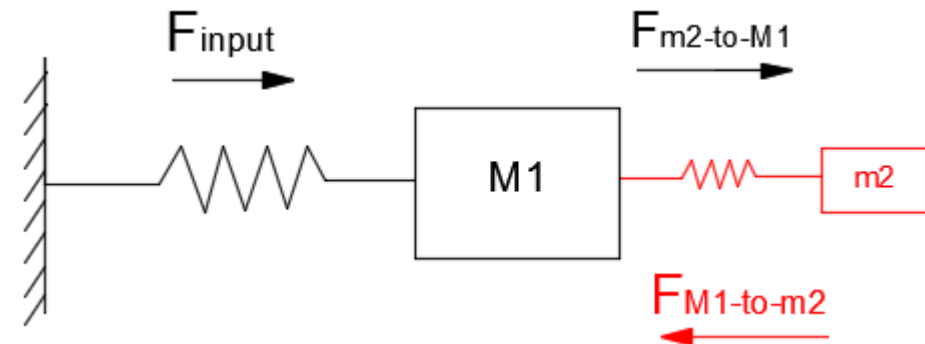
- Do not operate the unit
- Reduce the load, steam pressure
- Until permanent solution can be implemented
- (i.e., tuning)

(2a) Inertia Tuning

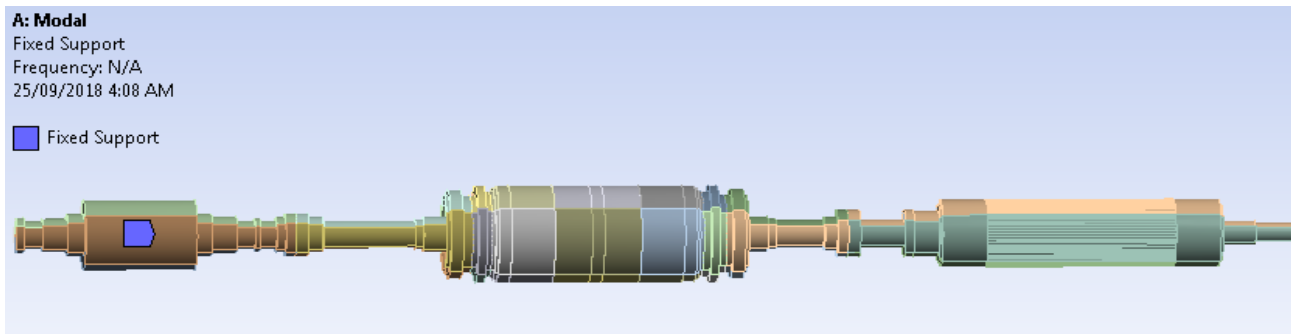
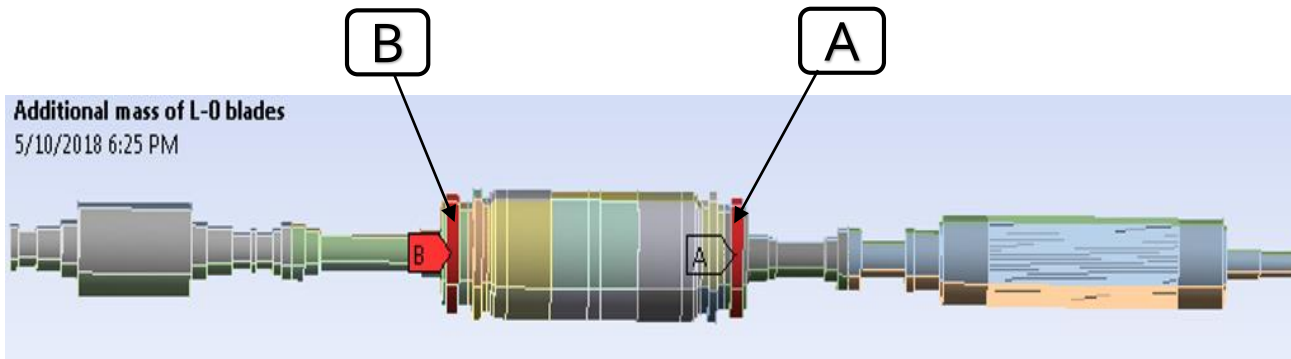
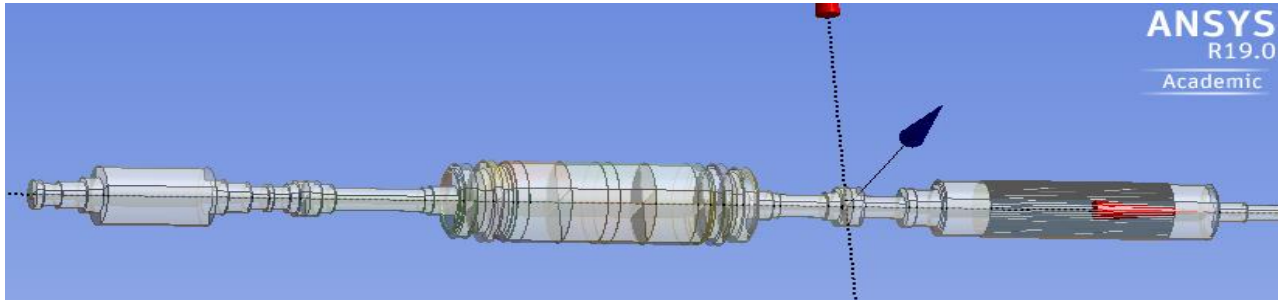
- Large enclosure steel rings on the couplings
- Can be added or removed

(2b) Dynamic Tuning

- Dynamic absorber concept



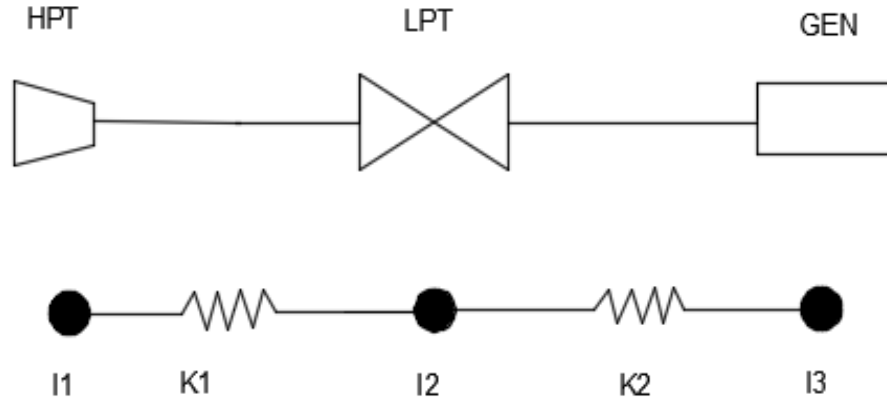
Modal Analysis Using ANSYS Workbench



Property	Value	Units
Density	7750	kg/m ³
Modulus of Elasticity	185	GPa
Poisson's Ratio	0.3	-
Maximum Allowable Stress	130	MPa
Yield Strength	178	MPa

Mode	Welded Drum Type LPT Frequency (Hz)		Monoblock Type LPT Frequency (Hz)	
	1 LPT Cylinder	2 LPT Cylinders	1 LPT Cylinder	2 LPT Cylinders
1	0	0	0	0
2	18.4	13.0	18.1	12.8
3	22.9	22.6	21.3	22.7
4	108.9	25.3	62.4	25.6
5	130.7	158.7	129.3	63.0
6	178.8	160.4	163.7	65.2
7	179.4	170.9	189.5	175.4

Confirmation Using Simplified Model

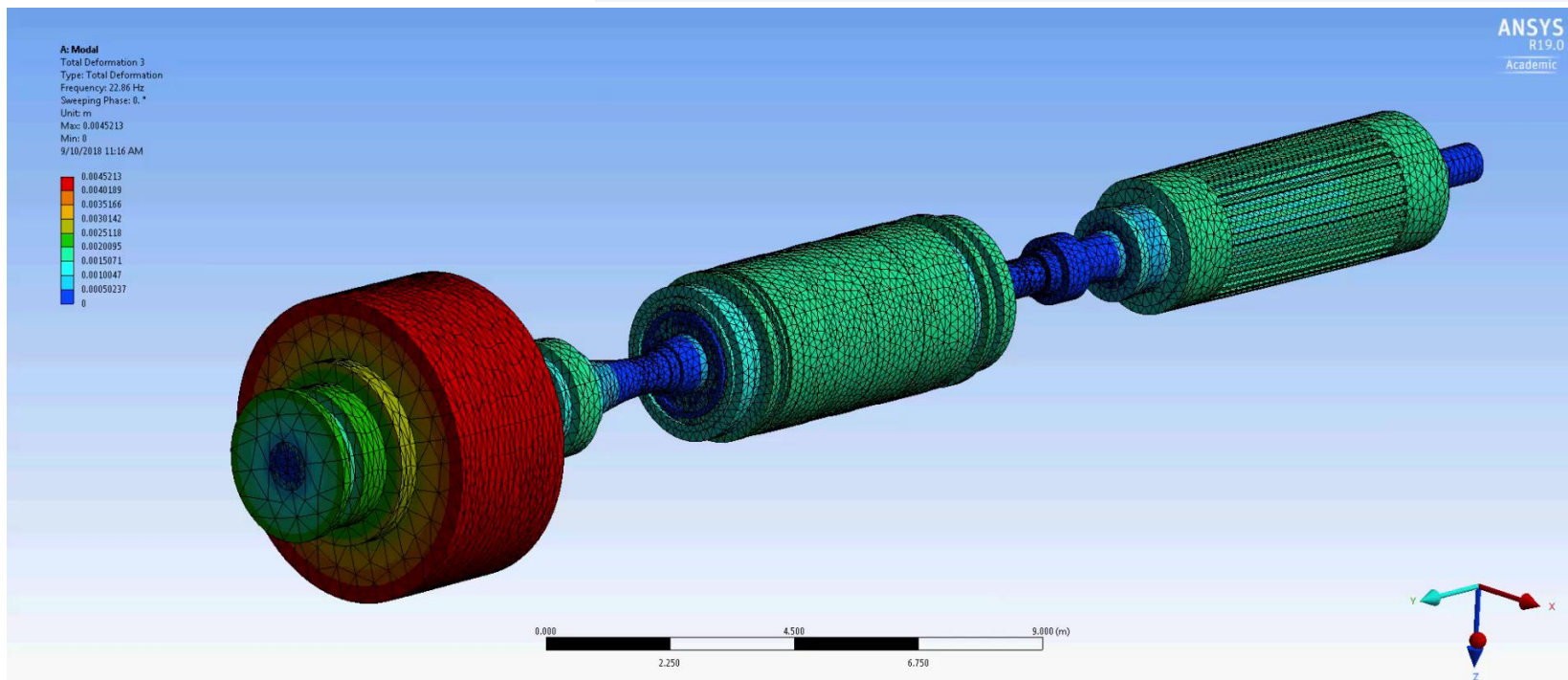
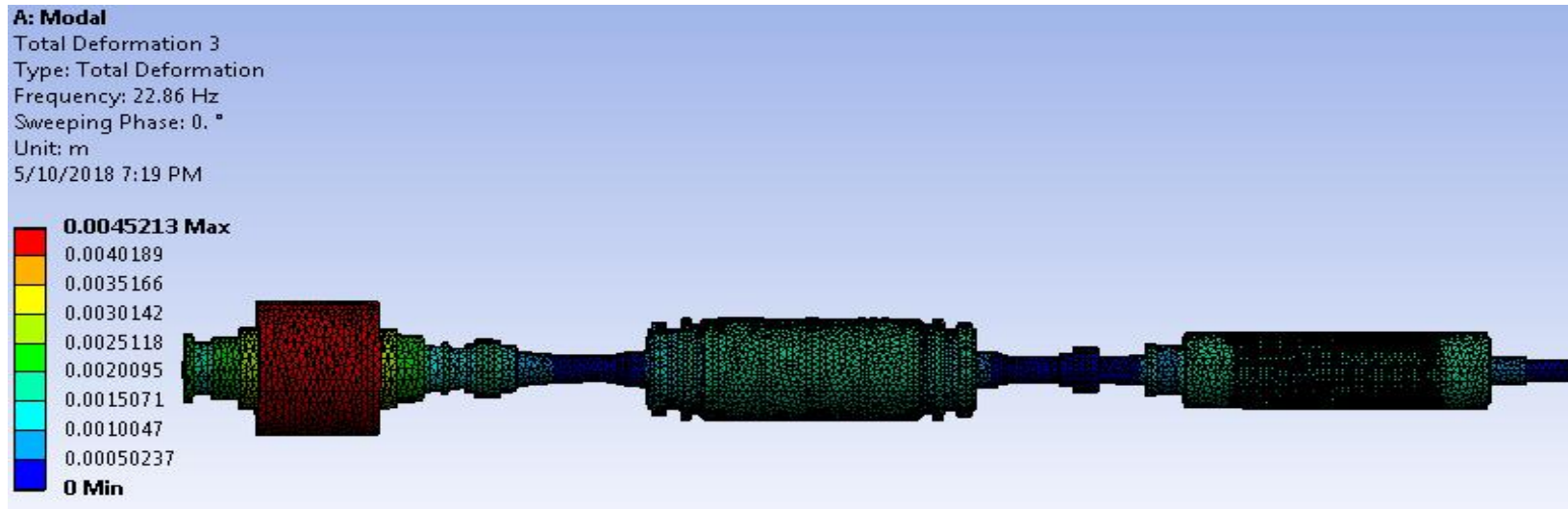


Geometry	Polar Moment of Inertia, I	Torsional Stiffness, k
Solid Shaft	$\frac{\pi\rho LD^4}{32}$	$\frac{\pi GD^4}{32L}$
Annulus Shaft	$\frac{\pi\rho L(D^4 - d^4)}{32}$	$\frac{\pi G(D^4 - d^4)}{32L}$

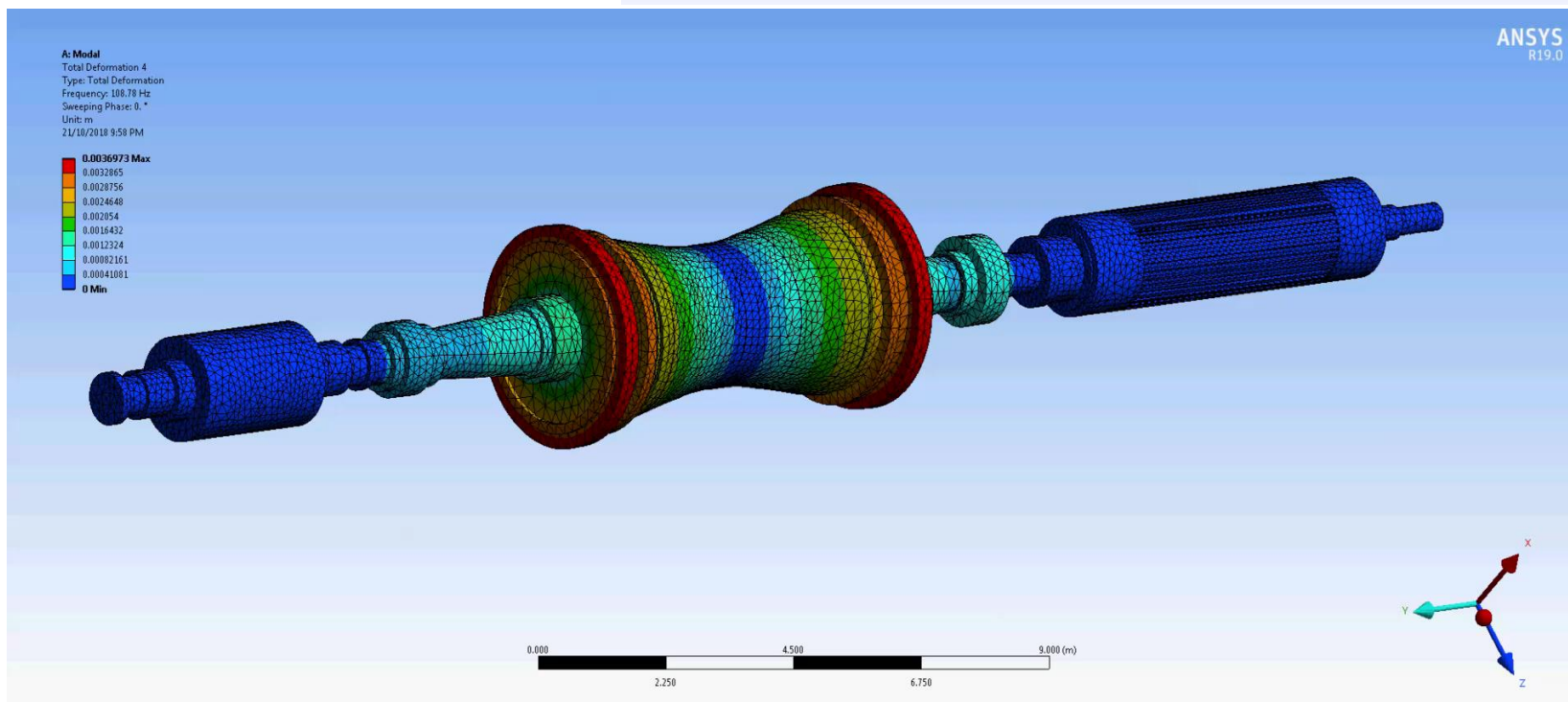
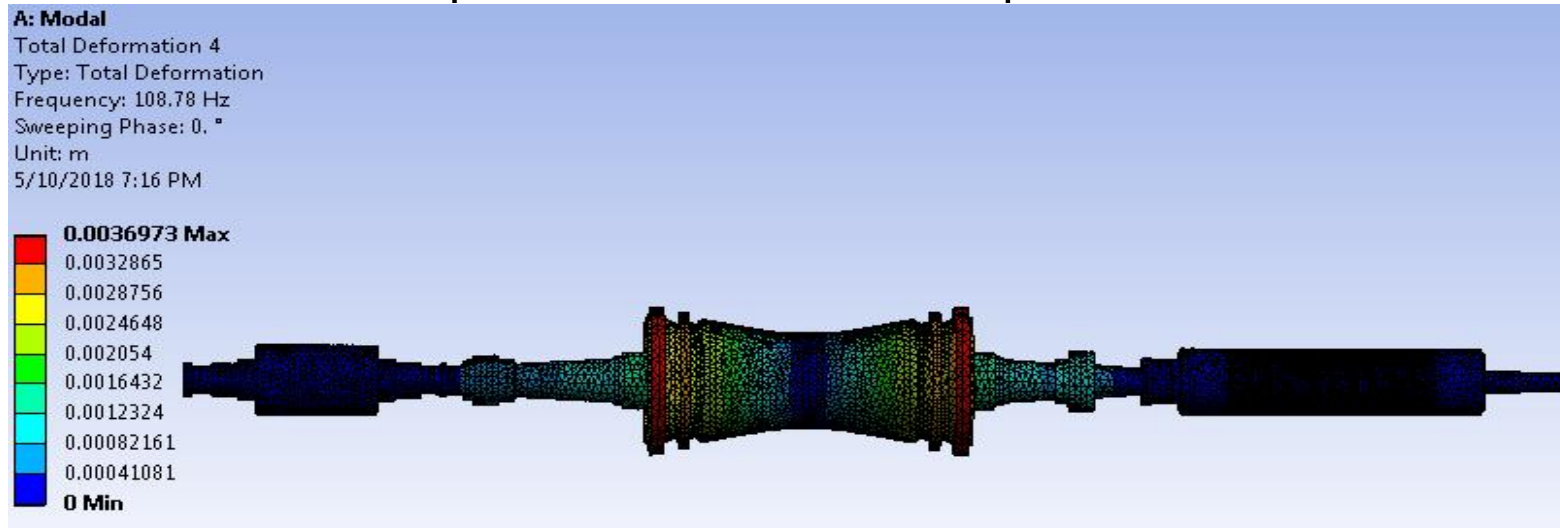
Mass	Inertia moment, I (kg.m ²)	Span (-)	Torsional Stiffness, K (Nm/rad)
1	59,042	1-2	7.29E+8
2	140,625	2-3	1.43E+9
3	74,864		

Mode	Shaftline with Single LPT Cylinder Monoblock Rotor		
	ANSYS Results (Hz)	Calculated Results (Hz)	Δ (%)
1	0	0	0
2	18.1	18.6	2.7
3	21.3	21.8	2.3

Torsional Natural Frequencies and Mode Shapes--



Torsional Natural Frequencies and Mode Shapes -



Summary

- Torsional natural frequencies and modes shaped generated
- Evaluated against frequency exclusion zones (1x and 2x grid frequency)
- Excellent separation of modes near exclusion zones
- Analytical and ANSYS results are comparable



THANK YOU

감사합니다