

Evaluation of 3-D Power Distribution Synthesis Method for SMART Core Monitoring System

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1. Introduction

A 3-dimensional power distribution synthesis method, named DPCM3D[1] has been developed by KAERI. SMART core monitoring system, SCOMS[2] adopted this method instead of Fourier expansion method for the digital monitoring system of conventional PWRs. The DPCM3D method produces a synthetic 3-D power distribution by coupling a neutronics code and measured in-core detector signals. In DPCM3D, instrumented node powers are determined from the detector powers by using power sharing factors and the un-instrumented node powers are determined by using power connection factors. A coefficient library for the 3-D power synthesis is functionalized as a function of the burnup, core power and control rod position.

In this paper, performance of SCOMS 3-D power distribution synthesis method for SMART initial core was evaluated.

2. Methods and Results

In this section, 3-D power connection method (DPCM3D) is explained briefly, and SCOMS 3-D power synthesis performance for SMART initial core is evaluated. Also, sensitivity test for the number of failed detector is performed.

2.1 DPCM3D

In DPCM3D, a node power is determined from the neighboring node powers using the 3-D power connection factors.

$$C_{l,k}(N_l^{nb} + N_k^{nb})P_{l,k} - \sum_{j \in U} (P_{j,k} + P_{l,j}) = \sum_{j \in I} (P_{j,k}^d + P_{l,j}^d) \quad (1)$$

where, groups U and I mean the un-instrumented and instrumented node groups, respectively. N_l^{nb} and N_k^{nb} are the number of neighboring nodes in the radial and the axial directions. $C_{l,k}$ means the 3-D power connection factor which couples the node (l,k) power with the neighboring node powers. The right hand side (RHS) in Eq. (1) is given as a source for the node (l,k) , which produces a fixed source problem. The left hand side (LHS) of Eq. (1) couples the node power of (l,k) to the undetermined neighboring power. This equation can be solved by an iterative scheme and then 3-D power distribution can be determined.

If the 3-D power distribution is given, the coupling coefficient of $C_{l,k}$ in Eq. (1) can be determined by using the neighboring powers.

$$C_{l,k} = \frac{1}{P_{l,k}(N_l^{nb} + N_k^{nb})} \left(\sum_{j=1}^{N_l^{nb}} P_{L_l^{nb}(j),k} + \sum_{j=1}^{N_k^{nb}} P_{l,K_k^{nb}(j)} \right) \quad (2)$$

where, $L_l^{nb}(j)$ and $K_k^{nb}(j)$ are the neighboring node and plane indices for node (l,k) , respectively. However, the 3-D power distribution can not be given until the solution of Eq. (1) is obtained. Therefore, DPCM3D uses an approximated coupling coefficient of $C_{l,k}^C$ instead of rigorously defined one in Eq. (2). The detected node power in Eq. (1) is determined by using a power sharing factor (PSF) and a detector signal. An approximated power sharing factor $F_{l,kk'}^C$ is provided by neutronics code, as like coupling coefficient.

$$P_{l,k}^d = \frac{1}{W_k} \sum_{k'} F_{l,kk'} P_{l,k'}^d \quad (3)$$

where,

$P_{l,k}^d$ = detected node power of node (l,k)

$F_{l,kk'}$ = PSF from detector k' to node k ($= \frac{W_{kk'} P_{l,k}}{P_{l,k'}}$)

$P_{l,k'}^d$ = in-core detector power of detector unit k'

W_k = $\sum_{k'} w_{kk'}$ ($w_{kk'} = h_{kk'}/h_{k'}$)

$h_{k'}$ = height of detector unit k'

$h_{kk'}$ = height of plane k included in detector unit k'

2.2 3-D Power Distribution Synthesis

3-D power distribution is synthesized for the SMART initial core by using the coefficient library and in-core detector signals. The library constants of $F_{l,kk'}^C$, $C_{l,k}^C$ and detector signals are generated from the reference power distribution of MASTER neutronics code. Fig. 1 and Fig. 2 show the synthesis result. As shown in Fig. 1, radial power distribution error (axially integrated 2-D power) shows the maximum 0.006% at BOC condition which is negligible value. In addition, synthesized axial power shape is exactly match with reference shape. These trivial errors are less than the truncation error of about 0.02% caused by the number of digits for the power distribution and detector signals[3].

